Forward Modeling the Architectures of Exoplanetary Systems: A Clustered Model using Kepler Data





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Kepler's multi-transiting systems are extremely informative to study



2

3

Number of planets

1



Many of these planets are in multi-transiting systems!

6

5

4

How do we make sense of all these planets?



- How do we disentangle
 observational biases
 from real trends?
- What do these observed planets suggest about the **underlying systems**?
- What are the trends in their **architectures**? What do they suggest about **planet** formation processes?





0.0

0.2

0.6

0.4

(Period-normalized) Transit duration ratios

-0.4



We have a **full forward model** for simulating the Kepler mission!



Many previous studies assume that planets are independent in period and in size



We test a model where the period and radius of each planet are drawn independently

Models assuming independent planets fail to reproduce the observed population



The number of multi-transiting systems is significantly under-produced

The period distribution appears well modeled with a single power-law (between 3 and 300 days)

The period ratio distribution is poorly modeled

The transit depth ratios are not as peaked

There are significant intra-system correlations: planets are clustered in periods and sizes



Planets are drawn as a clustered point process, where each cluster has a period scale and radius scale

Our clustered model provides a significantly improved description of planetary systems!



Observed multiplicities are fit extremely well

Both the period and period ratio distributions are well reproduced

Fit to transit depth ratios appear better, but distances not improved

Planetary systems have low eccentricities and consist of two populations of mutual inclinations



We find (from our clustered models):

- low eccentricities (e ~ 0.02)
- two populations of mutual inclinations
 - "hot": isotropic im for ~40% of systems to explain the excess of single-transit systems "cold": im ~ 1.3° for remaining ~60% of systems

The transit duration ratio distribution is very well matched



Our clustered models provide a great fit to the Kepler data!



What about correlations between planetary systems and their host stars?

We split the stellar sample (79935 FGK stars) in half by Gaia b_p -r_p color —> The exoplanet counts are also roughly split in half



Assuming the same distribution of planets around all stars produces more detected planets around the bluer stars!

Planetary systems are more common around late type stars than early type stars



A linear dependence between the fraction of stars with planets (FSWP) and the host star color fits the multiplicity distribution



Summary

- Multi-planet systems are clustered in periods and planet sizes
 - The non-clustered model cannot fit the multiplicities, period ratios, and radius ratios
 - A clustered model better reproduces the multiplicities and period ratios
- There are two populations of orbital architectures: low and high inclinations
 - + $e \sim 0.02$, im $\sim 1.3^{\circ}$ for 60% of systems
 - im > 10° for 40% of systems (Kepler dichotomy)
- Planetary systems are more common around late type (cooler) stars
 - The *overall* fraction of FGK stars with planets (FSWP) between 3 and 300 days is ~60%
 - FWSP increases from ~30% (early F) to ~100% (late K)





Feel free to use our models and simulated catalogs!



Hsu et al. (2018, 2019) He, Ford, & Ragozzine (2019) He, Ford, & Ragozzine (in prep.)

- Serves as a point of comparison for planet formation simulations
- Can be used to predict additional
 planets given already detected planets



Download or simulate model catalogs: https://github.com/ExoJulia/SysSim ExClusters

Questions?

Kepler systems with 3+ planets Simulated systems with 3+ planets



Extra slides







Model 1: planets are drawn independently in period and size



$$N_p \sim \text{Poisson}(\lambda_p)$$

Planets are drawn as a Poisson point process with independent periods and sizes

$$\begin{split} P &\sim f(P) = C_1 P^{\alpha_P} \\ R_p &\sim f(R_p) \propto \begin{cases} R_p^{\alpha_{R1}}, & R_{p,\min} \leq R_p \leq R_{p,\text{break}} \\ R_p^{\alpha_{R2}}, & R_{p,\text{break}} < R_p \leq R_{p,\max} \end{cases} \end{split}$$

Models assuming independent planets fail to reproduce the observed population







Planets are drawn as a clustered point process better reproduce the observed period ratios

 $N_c \sim \text{Poisson}(\lambda_c)$ $N_p \sim \text{ZTP}(\lambda_p)$ $P_c \sim f(P_c) = C_1 P_c^{\alpha_P}$ $P' \sim \text{Lognormal}(0, N_p \sigma_p)$ $P = P' P_c$

The clustered periods model fits the multiplicity, period, and period ratio distributions



Model 3: planets are clustered in periods and sizes



Our fully clustered model provides a significantly improved description of planetary systems!





The transit duration ratio distribution encodes population orbital properties

Number



$$\xi = \left(\frac{t_{\rm dur,in}}{t_{\rm dur,out}}\right) \left(\frac{P_{\rm out}}{P_{\rm in}}\right)^{1/3}$$

- Mutual inclinations randomize
 impact parameters
 - Orbital eccentricities randomize velocity during transit



Kepler distribution



Differences between our models in their predictions for the underlying populations



We train a fast emulator for our models to quantify model uncertainties



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