

Using Orbital Phase and Atmospheric Composition to Discriminate Reflected Light Observations of Exoplanets



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Collaborators: L. Pogorelyuk, K. Cahoy, R. Morgan, R. Fitzgerald, L. Mayorga, W. Grundy, A. Simon, and The New Horizons Planetary Theme Team



Outline

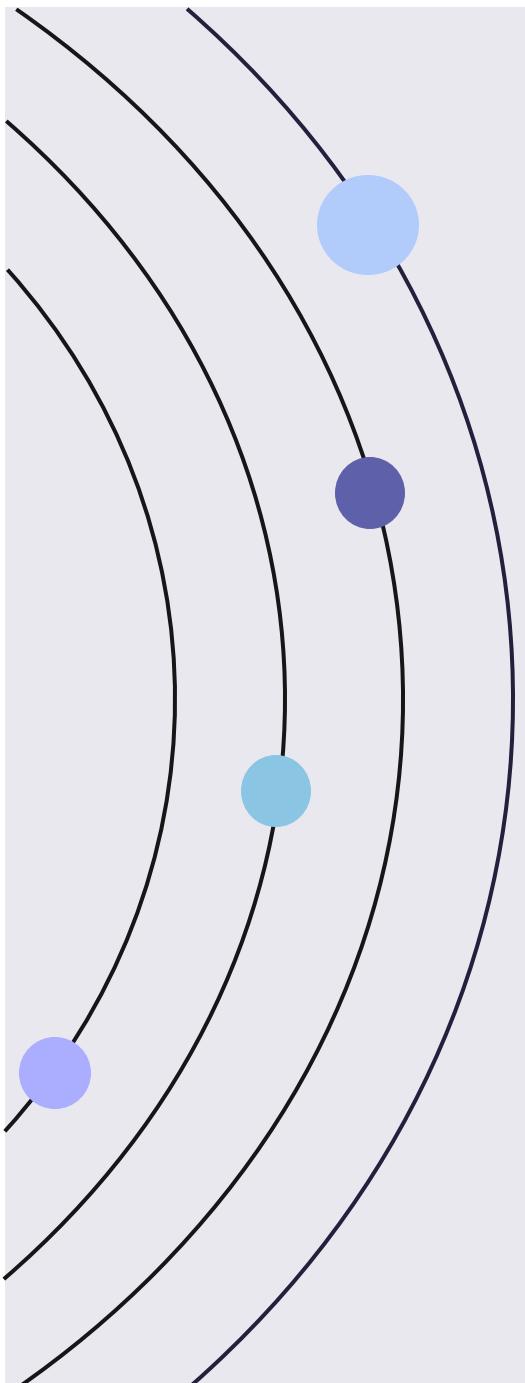


Introduction

Part I: Leveraging Exoplanet Orbital Phase and Color for Deconfusion

Part 2: High Phase Angle Observations of Uranus

Summary



Outline

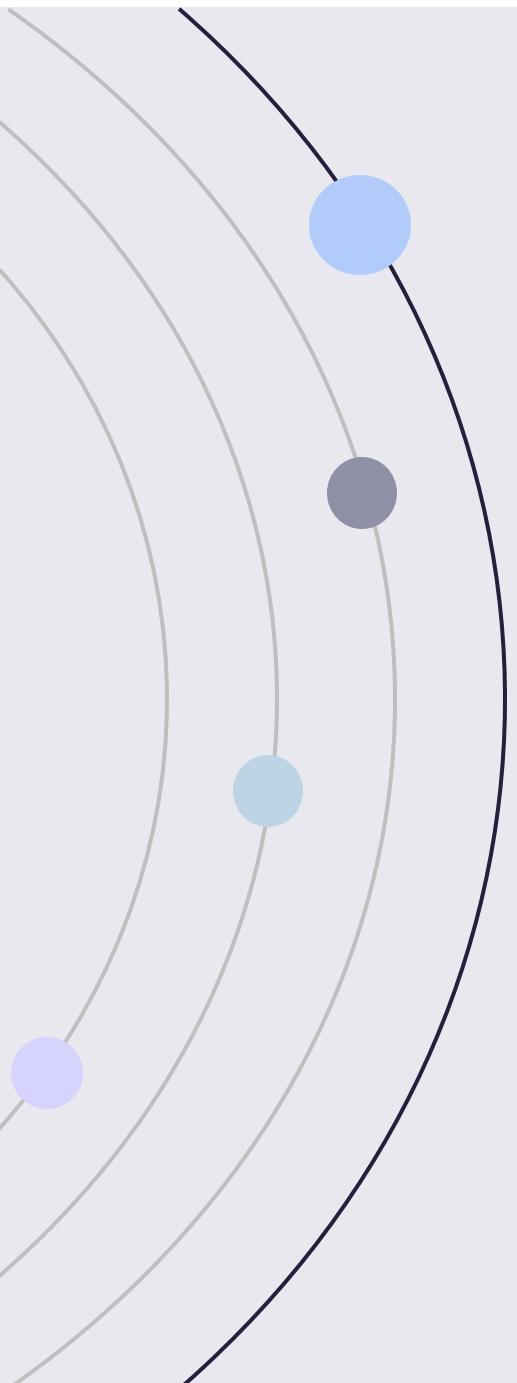


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Looking toward future direct imaging missions

Roman Space Telescope



Extremely Large Telescope(s)



Habitable Worlds Observatory



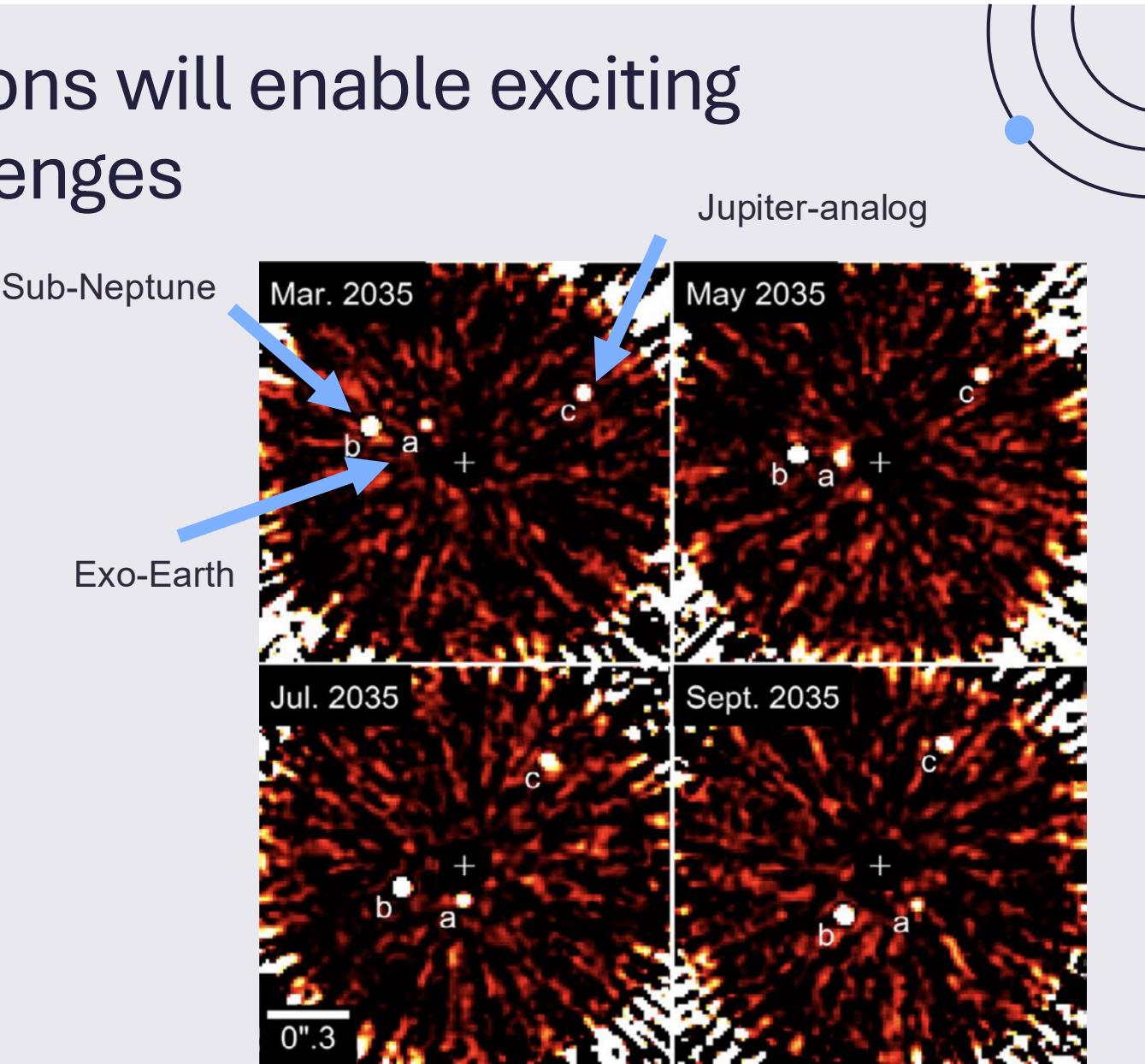
Object	Contrast	Angular separation @ 10 pc
Earth	$\sim 2 \times 10^{-10}$	0.1"
Jupiter	$\sim 1.4 \times 10^{-9}$	0.5"

Observing Instrument	Contrast	Inner Working Angle
*Gemini Planet Imager	10^{-7}	0.2" – 1.0"
Thirty Meter Telescope	10^{-8}	0.03"
Roman CGI	10^{-7} - 10^{-9}	0.15"
HabEx CG	10^{-10}	0.062"

*For context; currently operational

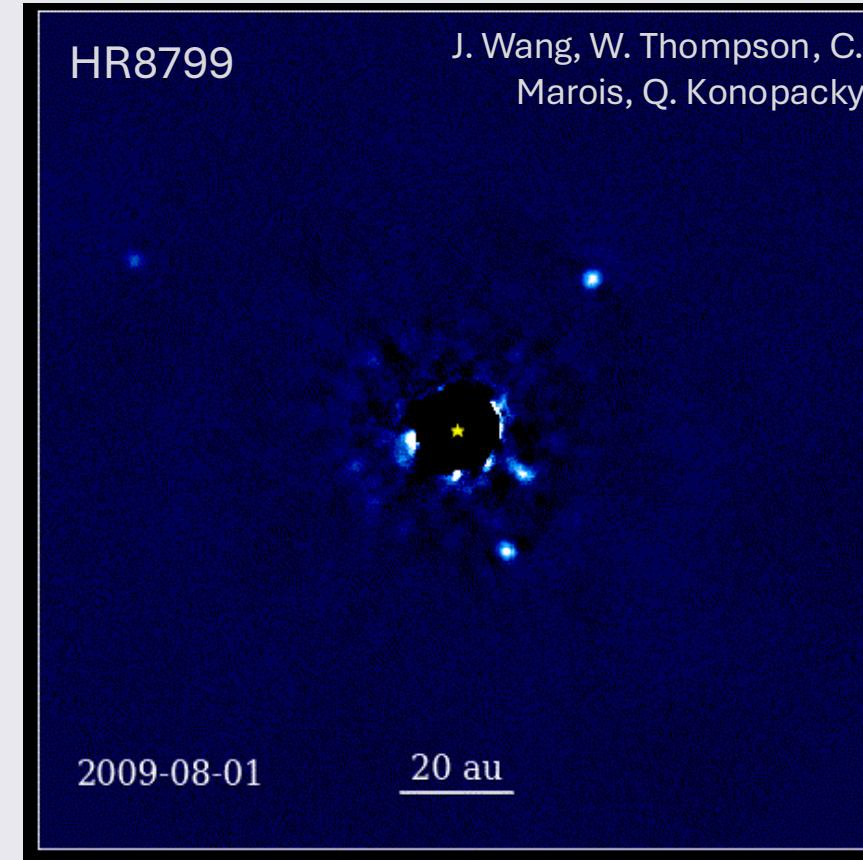
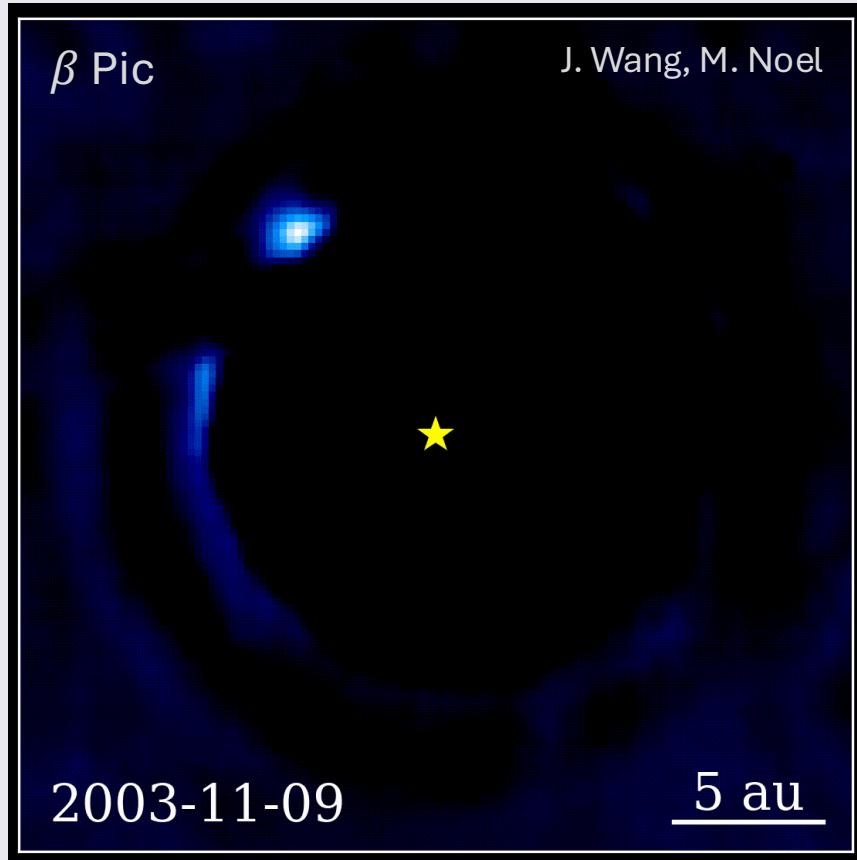
Future direct imaging missions will enable exciting science and face new challenges

- * Reach potentially habitable planets
- * Shorter orbital periods
- * May complicate observation scheduling
 - More planets
 - Missed detections
 - False positives
 - Lack of precursor observations



Habitable Exoplanet Observatory Final Report 2019,
G. Ruane

Exoplanets can only ever be imaged at partial phase angles



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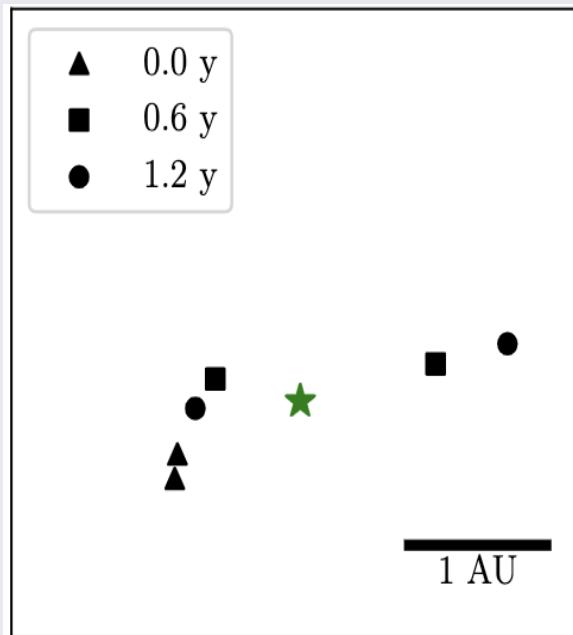
Part 2: High Phase Angle Observations of Uranus

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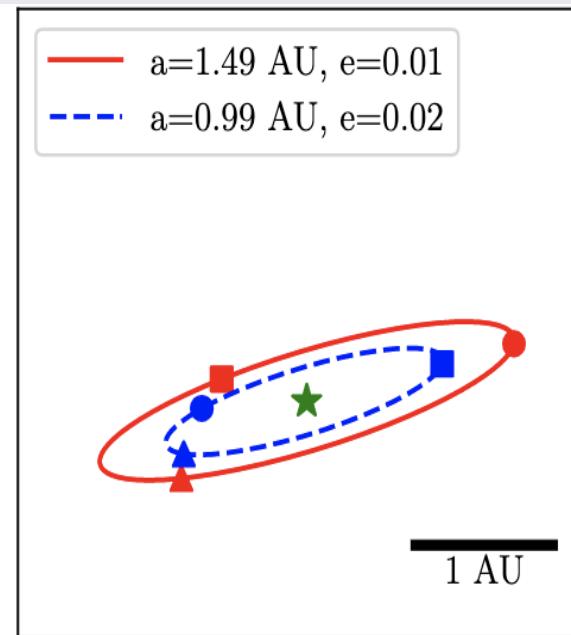
The confusion problem



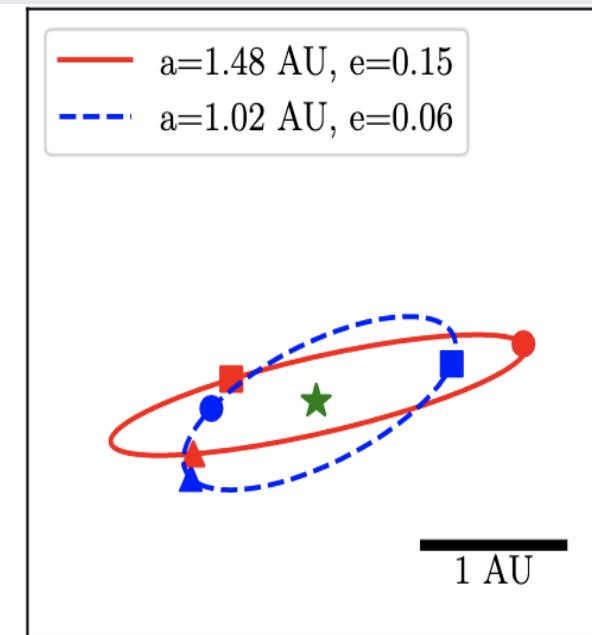
Detections of 2 planets,
each shape corresponds
to time of detection



Possible orbits #1



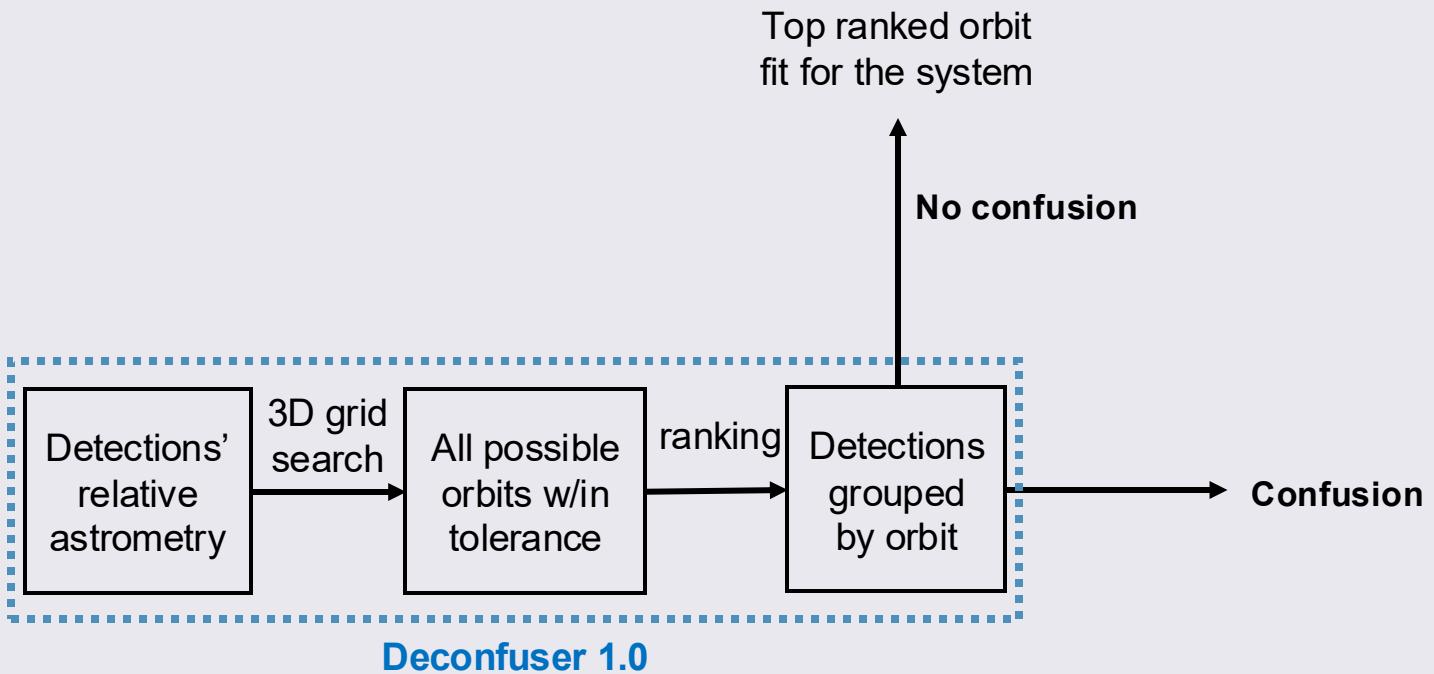
Possible orbits #2



Pogorelyuk et al. 2022

Which detection corresponds to which planet?

Assisting deconfusion with photometry



Pogorelyuk et al. 2022

Assisting deconfusion with photometry



Define star,
planet, detector
properties

Simulate
detections'
coordinates &
phase/brightness

Top ranked orbit
fit for the system

Refined orbit
rankings

Detections'
relative
astrometry

3D grid
search

All possible
orbits w/in
tolerance

ranking

Detections
grouped
by orbit

Confusion
orbital
parameters

Calculate
predicted
phase/brightness
given orbits

Add
detector
properties

Obtain
likelihood
per
detection

Multiply
detections'
likelihoods

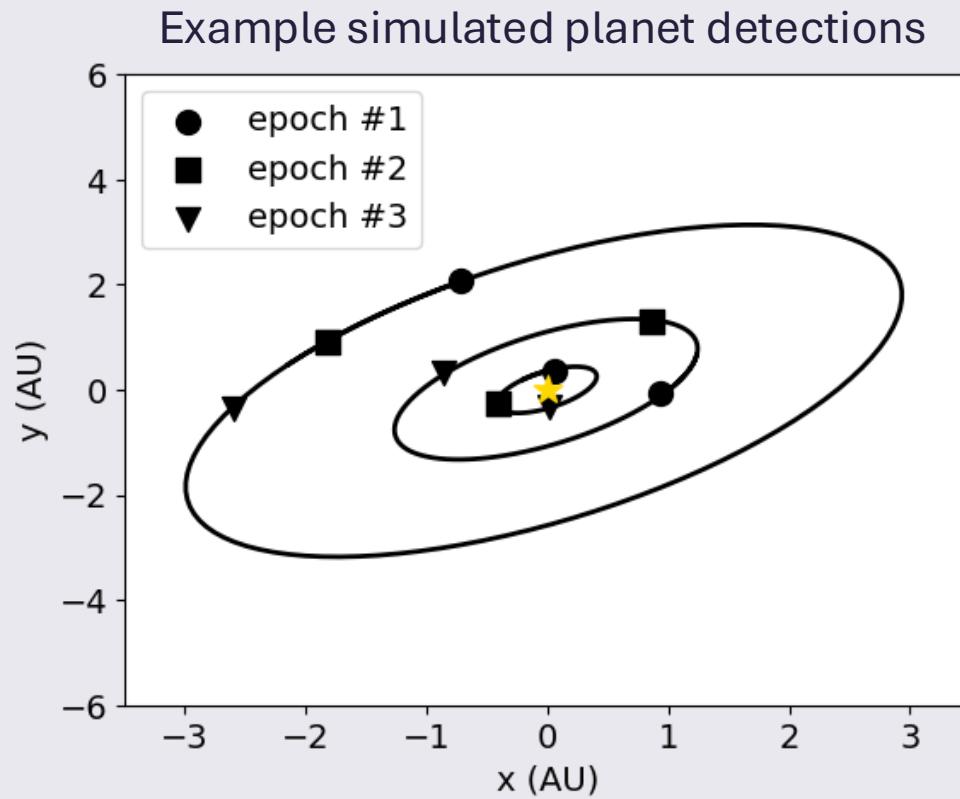
Deconfuser 1.0

Photometry Ranking

Hasler et al. (*in review*)

Deconfuser 2.0

Incorporating photometry from orbit fits



$$\alpha = \frac{\vec{r}_{\text{planet-star}} \cdot \vec{r}_{\text{planet-observer}}}{|\vec{r}_{\text{planet-star}}| |\vec{r}_{\text{planet-observer}}|}$$

Phase angle

$$\Phi(\alpha) = \frac{\sin \alpha + (\pi - \alpha) \cos \alpha}{\pi}$$

Lambertian phase function

$$F_{\text{planet}} = A_g \Phi(\alpha) \left(\frac{R_p}{r} \right)^2 F_{\text{star}}$$

Planet's flux density

$$c_{\text{planet}} = \pi q f_{pa} T \left(\frac{\lambda}{hc} \right) F_{\text{planet}} \Delta \lambda \left(\frac{D}{2} \right)^2$$

Planet count rate at detector

Hasler et al. (*in review*)

Orbit-ranking with photometry



Photon distribution

$$P(N = k) = \frac{n_p^k e^{-n_p}}{k!}$$

Probability of measuring n_p photons

$$f(y|n_p(a, e, i, \Omega, \omega, M_0)))$$

Likelihood of measuring all detections

$$\prod_{j=1}^Z f(y_j|n_{p,j}(a_j, e_j, i_j, \Omega_j, \omega_j, M_{0,j}))$$

Expected number of photons

$$n_p(a, e, i, \Omega, \omega, M_0) = \phi_p(a, e, i, \Omega, \omega, M_0) \cdot \Delta t + d$$

Variables

N = number of photons measured

k = number of occurrences

n_p = expected number of photons

$(a, e, i, \Omega, \omega, M_0)$ = orbital parameters

ϕ_p = photon flux

Δt = observation time

d = background

y = measured photon count

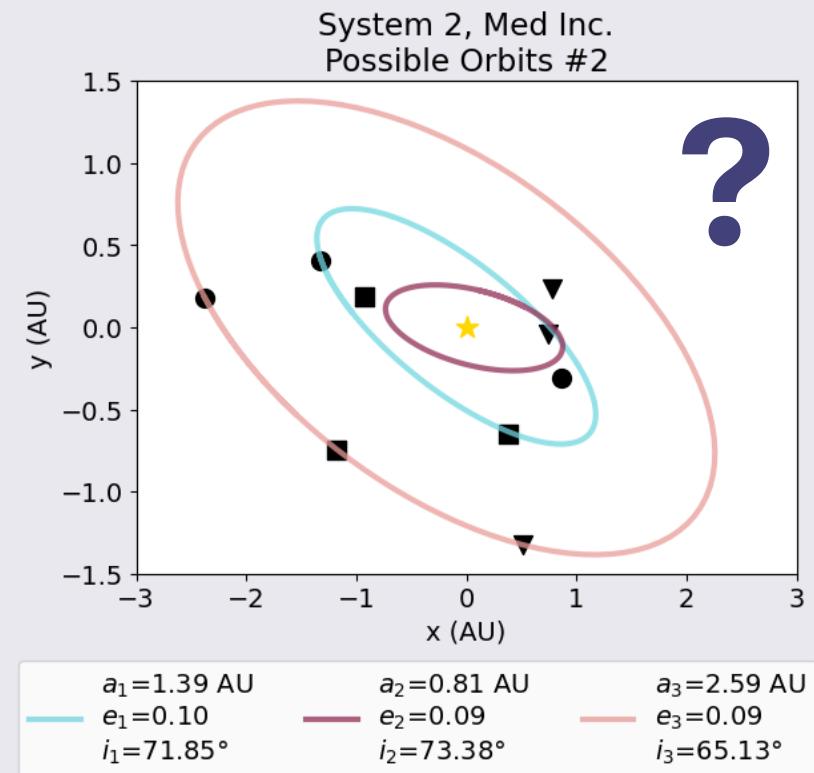
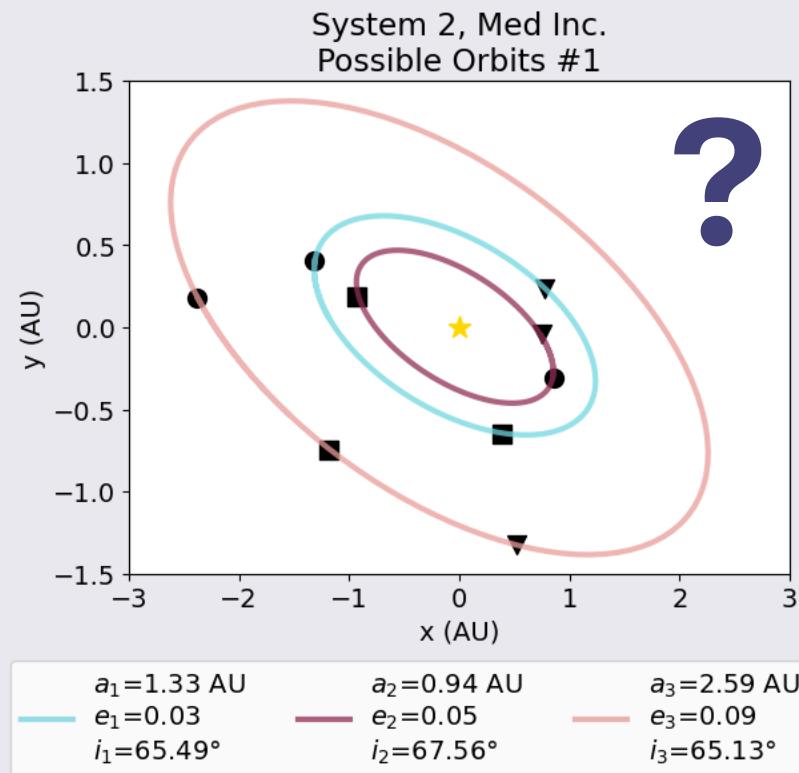
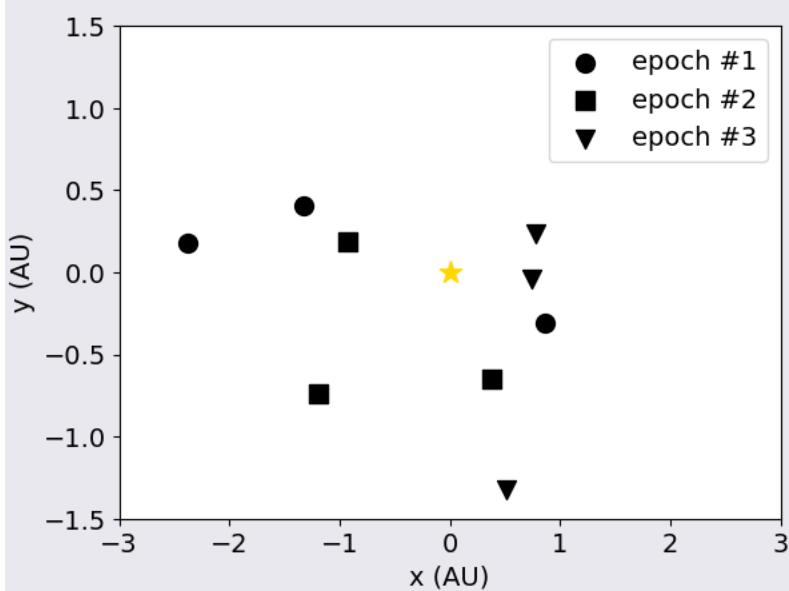
Z = number of measurements

Log Likelihood Function

$$\sum_{j=1}^N [y_j \cdot \ln(n_{p,j}(a_j, e_j, i_j, \Omega_j, \omega_j, M_{0,j})) - n_{p,j}(a_j, e_j, i_j, \Omega_j, \omega_j, M_{0,j}) - \ln(y_j!)]$$

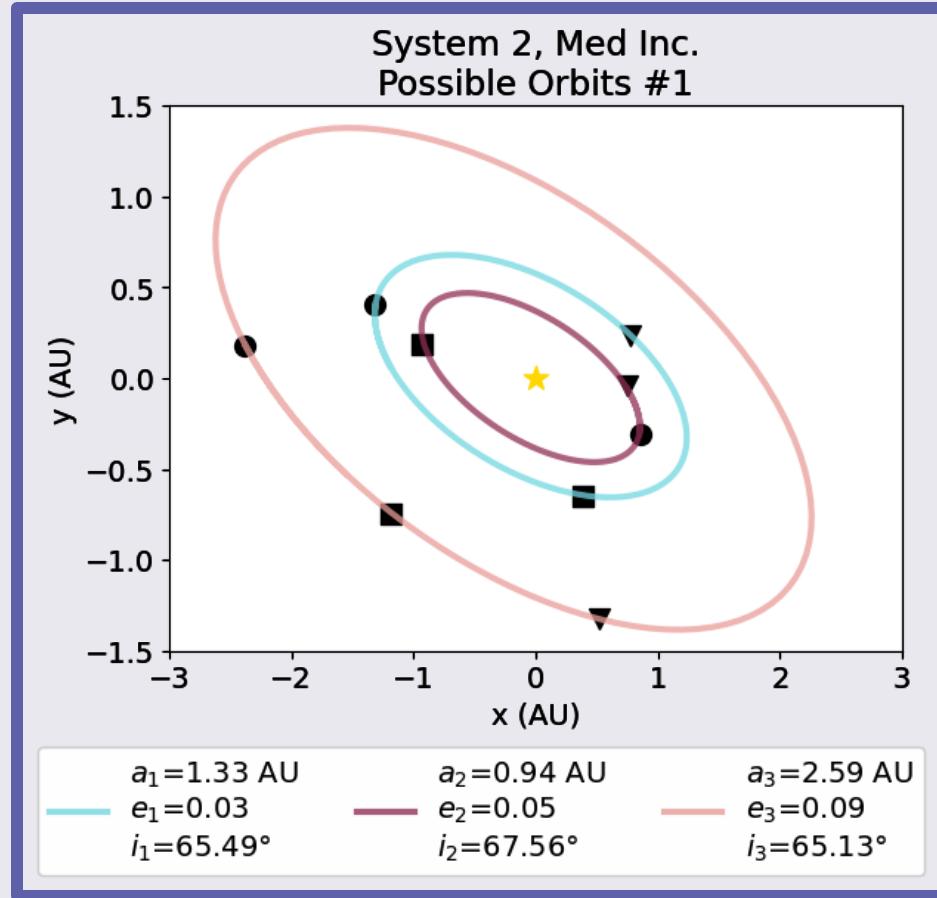
Hasler et al. (*in review*)

Example of deconfusion with photometry



Hasler et al. (in review)

Example of deconfusion with photometry



$L(\#1 \mid \text{detections})$

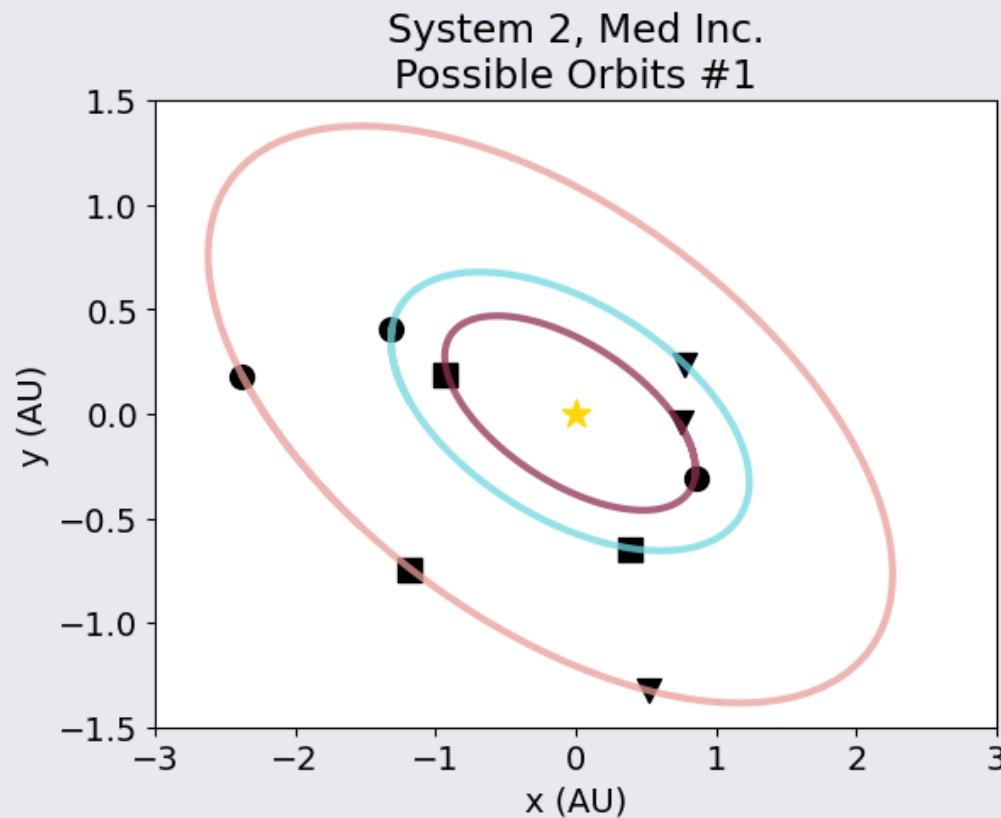
>

$L(\#2 \mid \text{detections})$

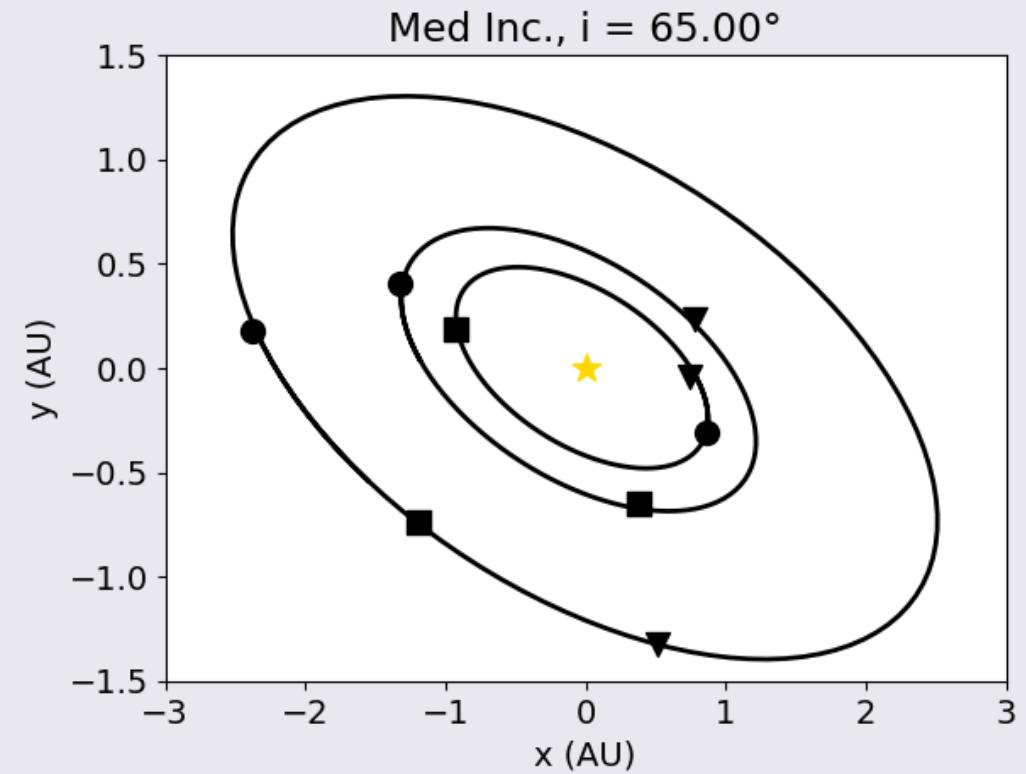
Hasler et al. (in review)

Example of deconfusion with photometry

Option #1



True System



Hasler et al. (*in review*)

Outline



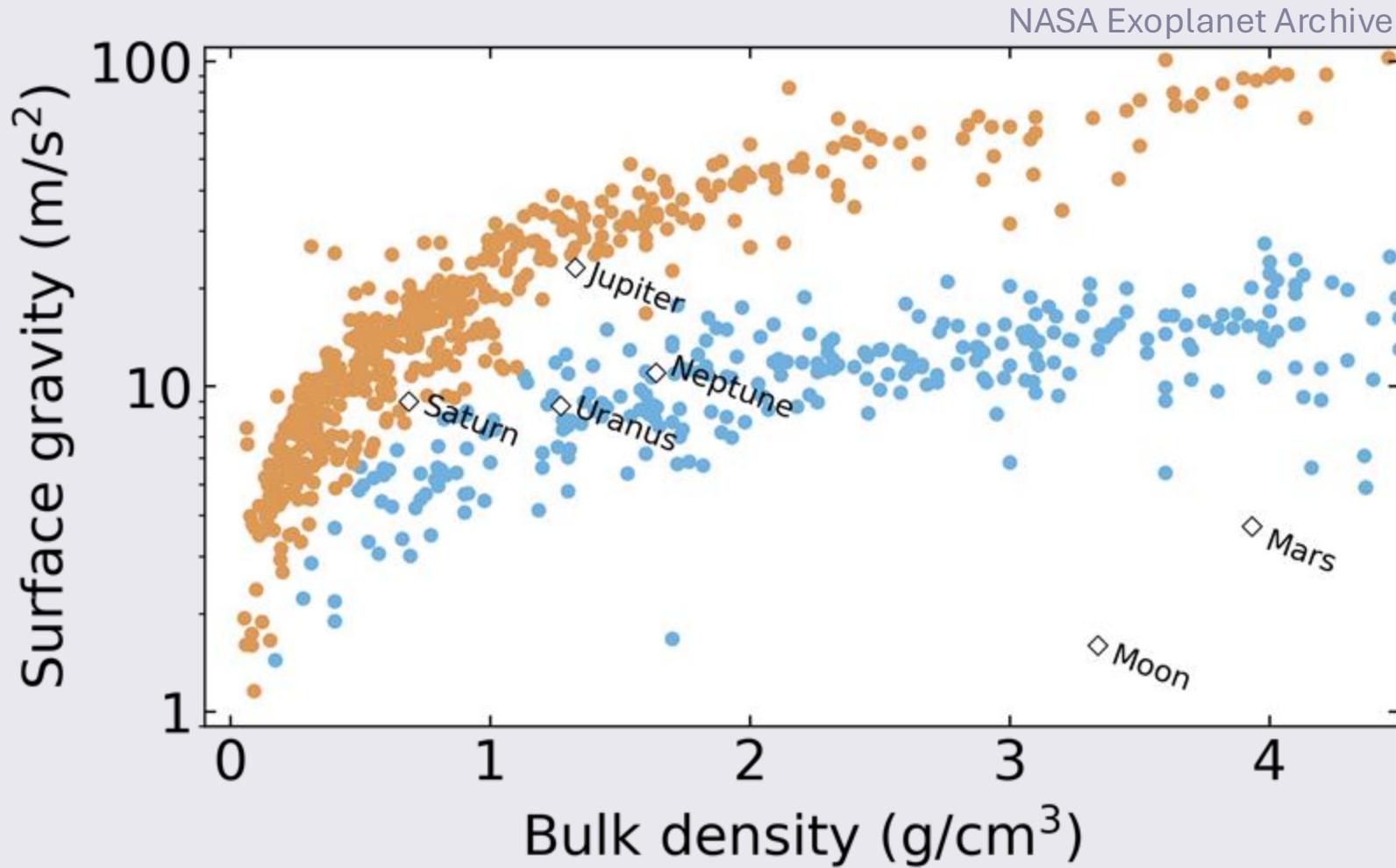
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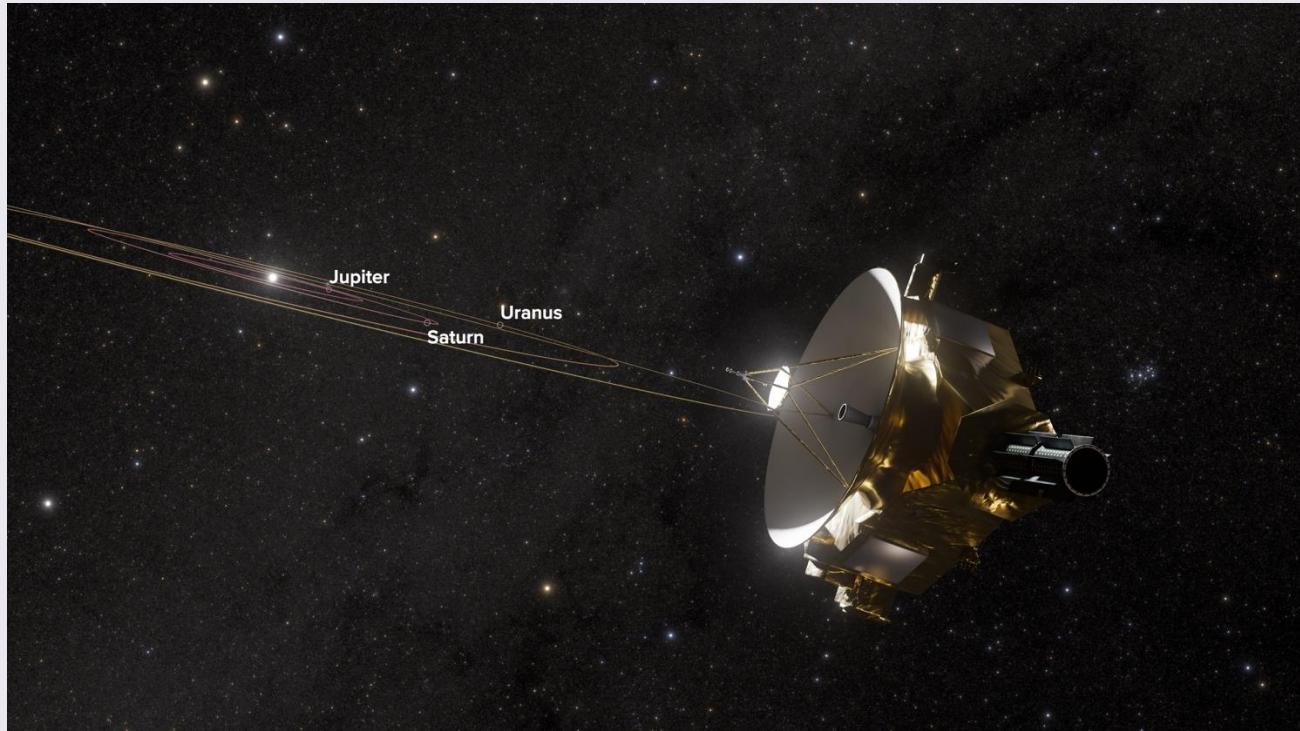
Summary

Motivation: Ice-giants are not well understood, and exoplanets of similar size are common



High phase angle observations of the giant planets are inaccessible from Earth

- * Previous observations of Uranus and Neptune from Voyager 2 flyby in 1986 and 1989
 - Left major questions about differences between the ice giants
- * New Horizons spacecraft currently > 61 AU from Sun
 - Launched 2006
 - Pluto flyby in 2015
 - Unique vantage point for high phase observations



NASA, ESA, C. Nieves (STScI), R. Crawford (STScI), G. Bacon (STScI)

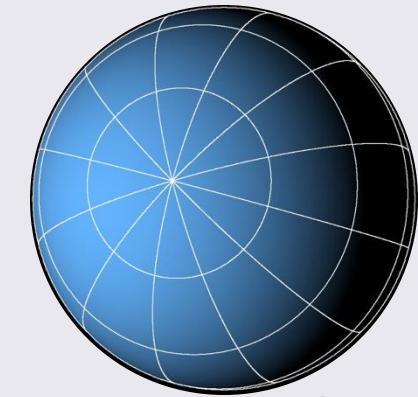
New Horizons/MVIC Observations of Uranus & Neptune



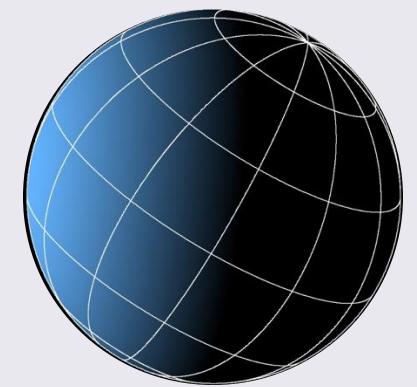
Observation Details

Planet	Date	Phase angle (°)	Planet-Sun distance (AU)	Planet-NH distance (AU)	No. of scans
Uranus	2023 Sep 16	43.9	19.6	69.5	6
	2019 Sep 2	52.4	19.8	54.5	1
	2010 Jun 23	44.0	20.1	24.2	1
Neptune	2023 Sep 23	80.6	29.9	53.7	36
	2019 Sep 03	78.9	29.9	40.2	1
	2010 Jun 23	34.4	30.0	23.2	1

Uranus

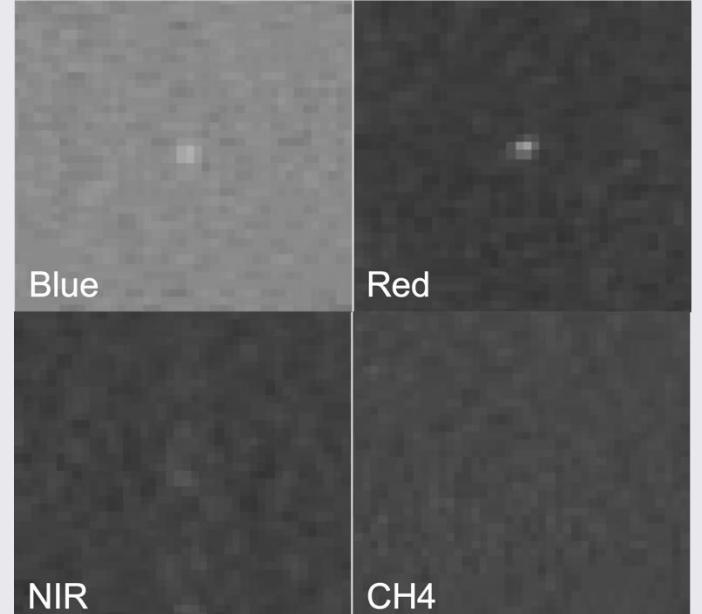


Neptune



Grundy et al. 2024

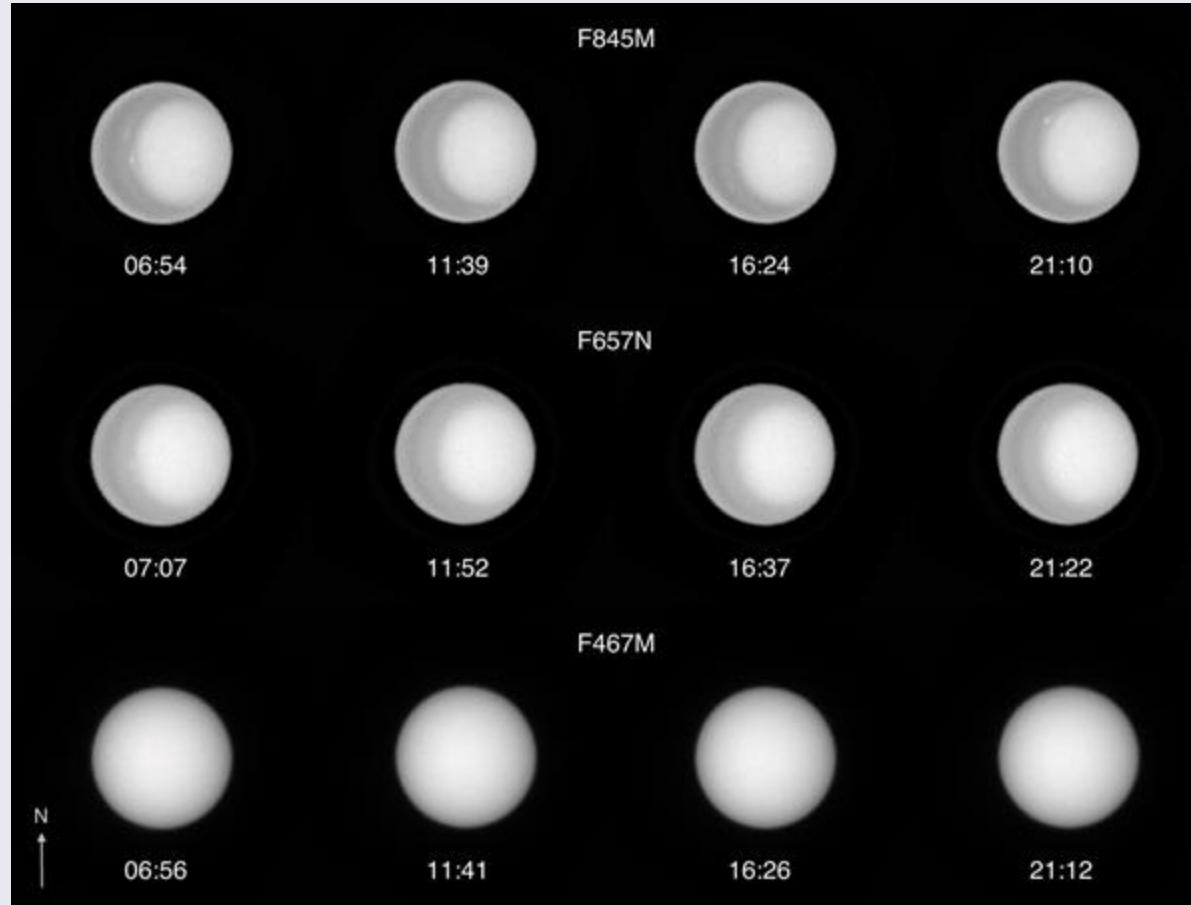
MVIC observations of Uranus





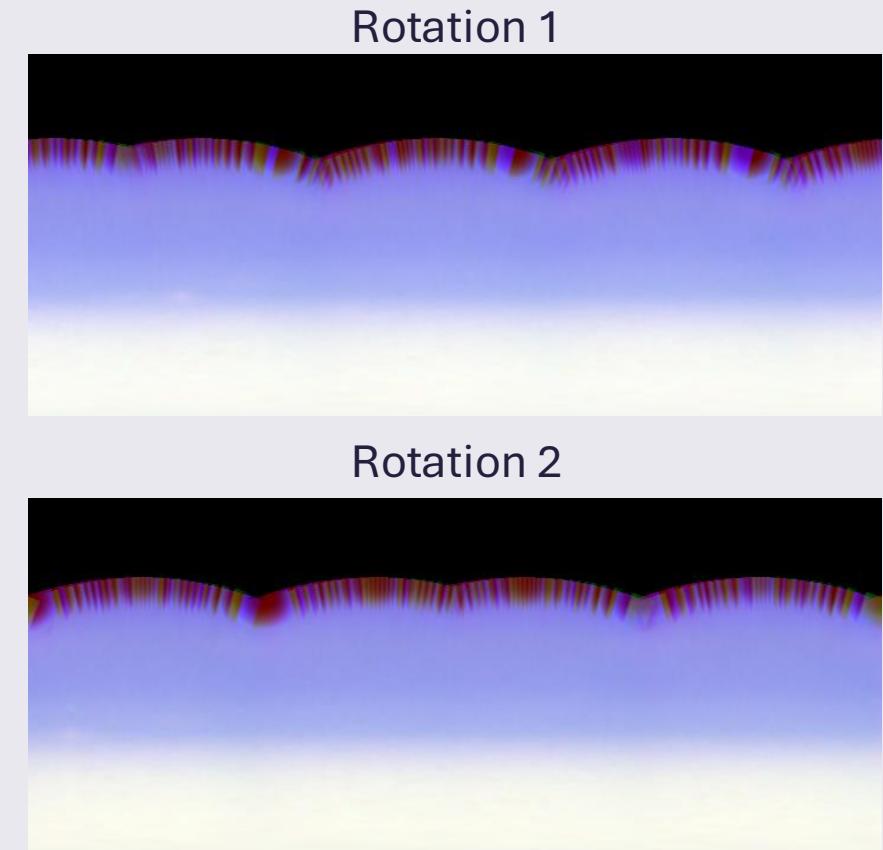
Simultaneous observations with HST/WFC3

HST OPAL (Thanks to Amy Simon!)



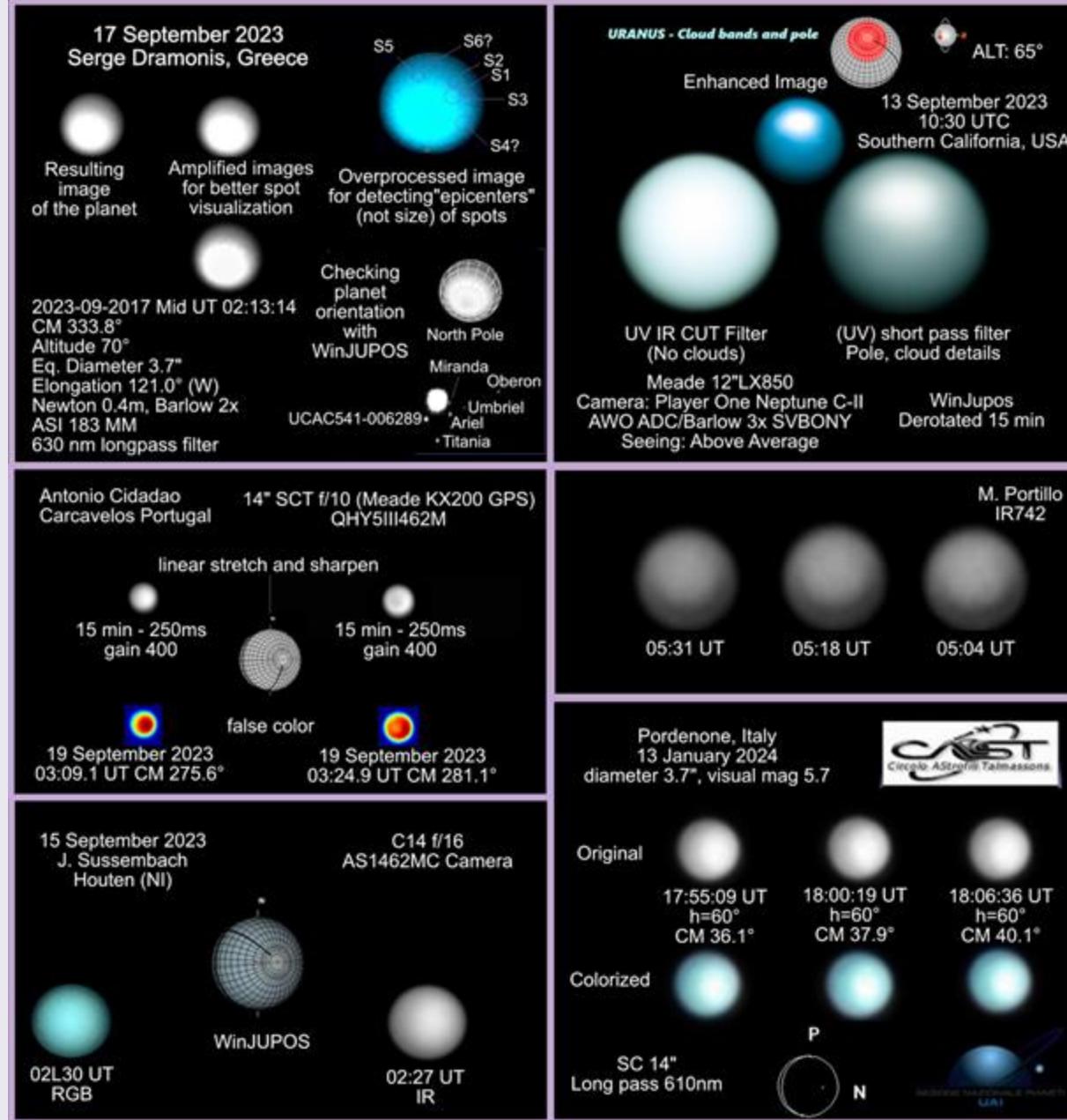
Hasler et al. 2024

3-color maps of Uranus



Complementary observations from ground-based community observers

Thanks to Susan Benecchi!





Methods: Data reduction and photometry



Variables

d = spatial scale of observations
 D = target-observer distance
 P = pixel scale of MVIC
 L = focal length
 R_T = radius of target (km)
 R_{pix} = radius of target in pixels
 A_{pix} = area of target in pixels
 F_{fil} = target flux per filter

c = count rate
 $R_{U,fil}$ = calibration-dependent keyword
 F_\odot = solar flux at 1 AU
 r = target's heliocentric distance (AU)
 $\frac{I}{F}$ = radiance factor

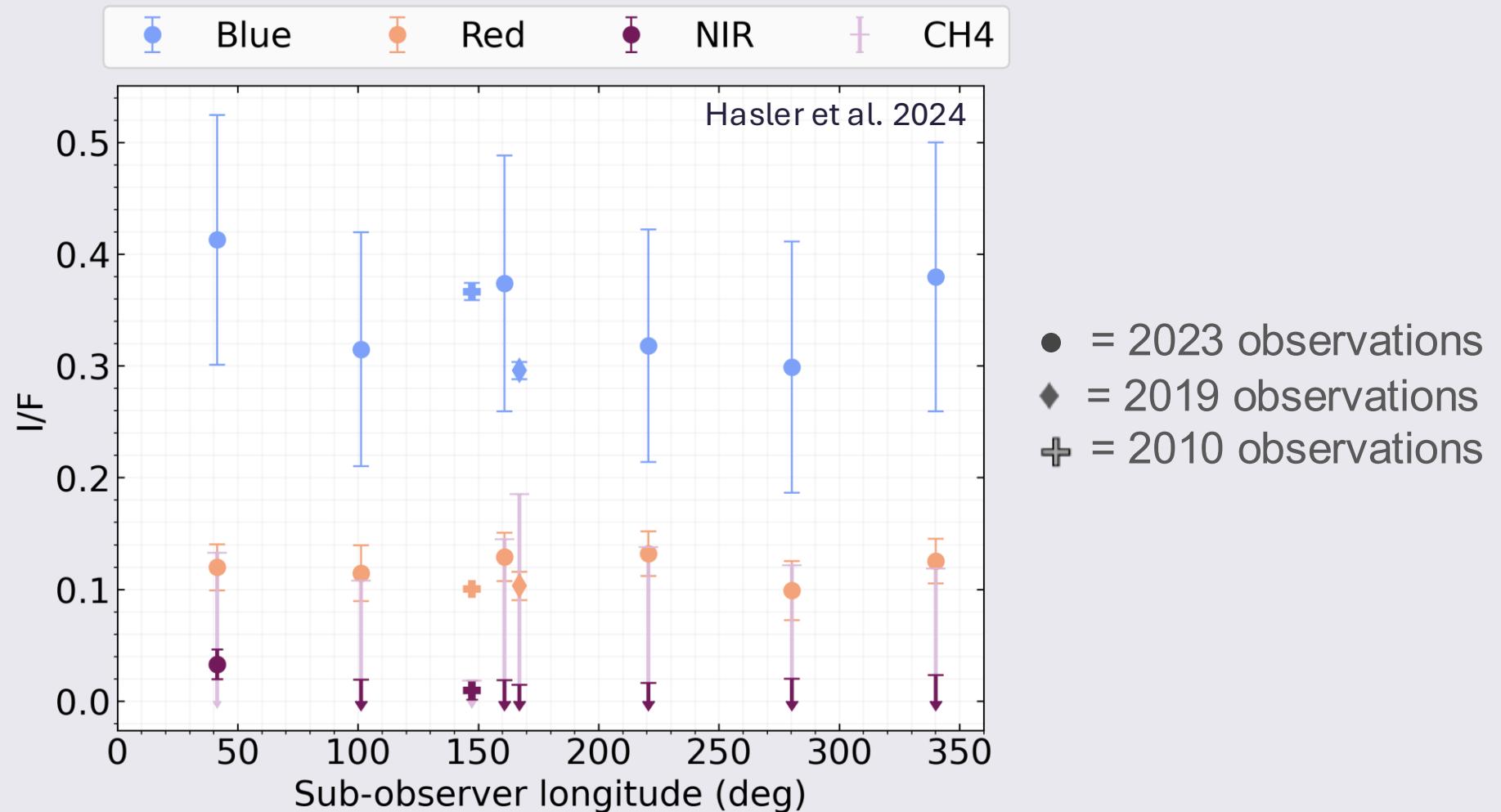
$$d = D * \frac{P}{L}$$
$$R_{pix} = \frac{R_T}{d}$$
$$A_{pix} = \pi R_{pix}^2$$
$$F_{fil} = \frac{c}{R_{T,fil}}$$
$$I_{fil} = \frac{F_{fil}}{A_{pix}}$$
$$\frac{I}{F} = \frac{\pi I_{fil} r^2}{F_\odot}$$



Uranus I/F vs. sub-spacecraft longitude

No significant rotational variation

No significant variation in brightness from 2010 - 2023

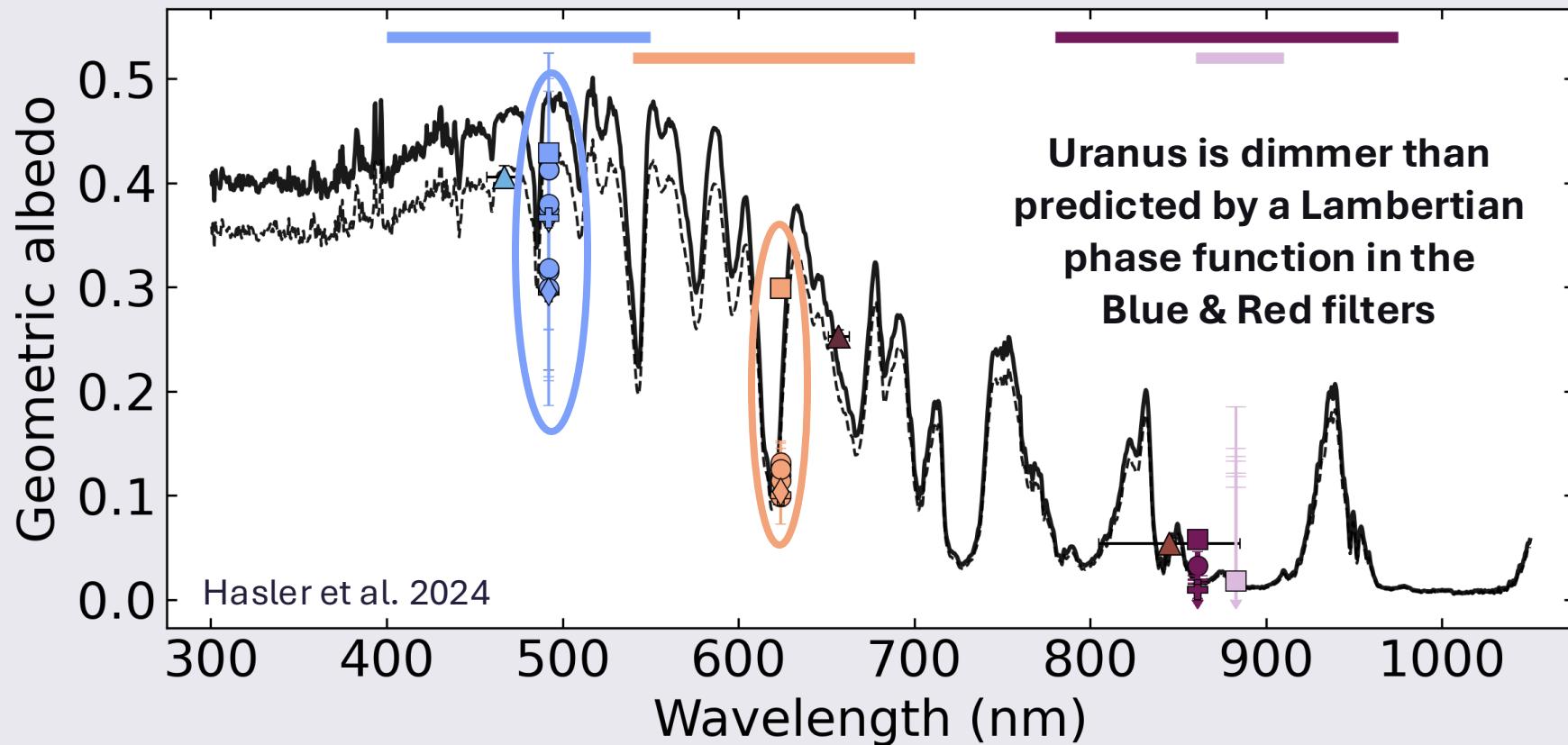




NH/MVIC observations compared to Uranus' spectrum

— K98 at $\alpha=43.9^\circ$
---- K98 at $\alpha=52.4^\circ$
△ HST/WFC3 at $\alpha=43.9^\circ$

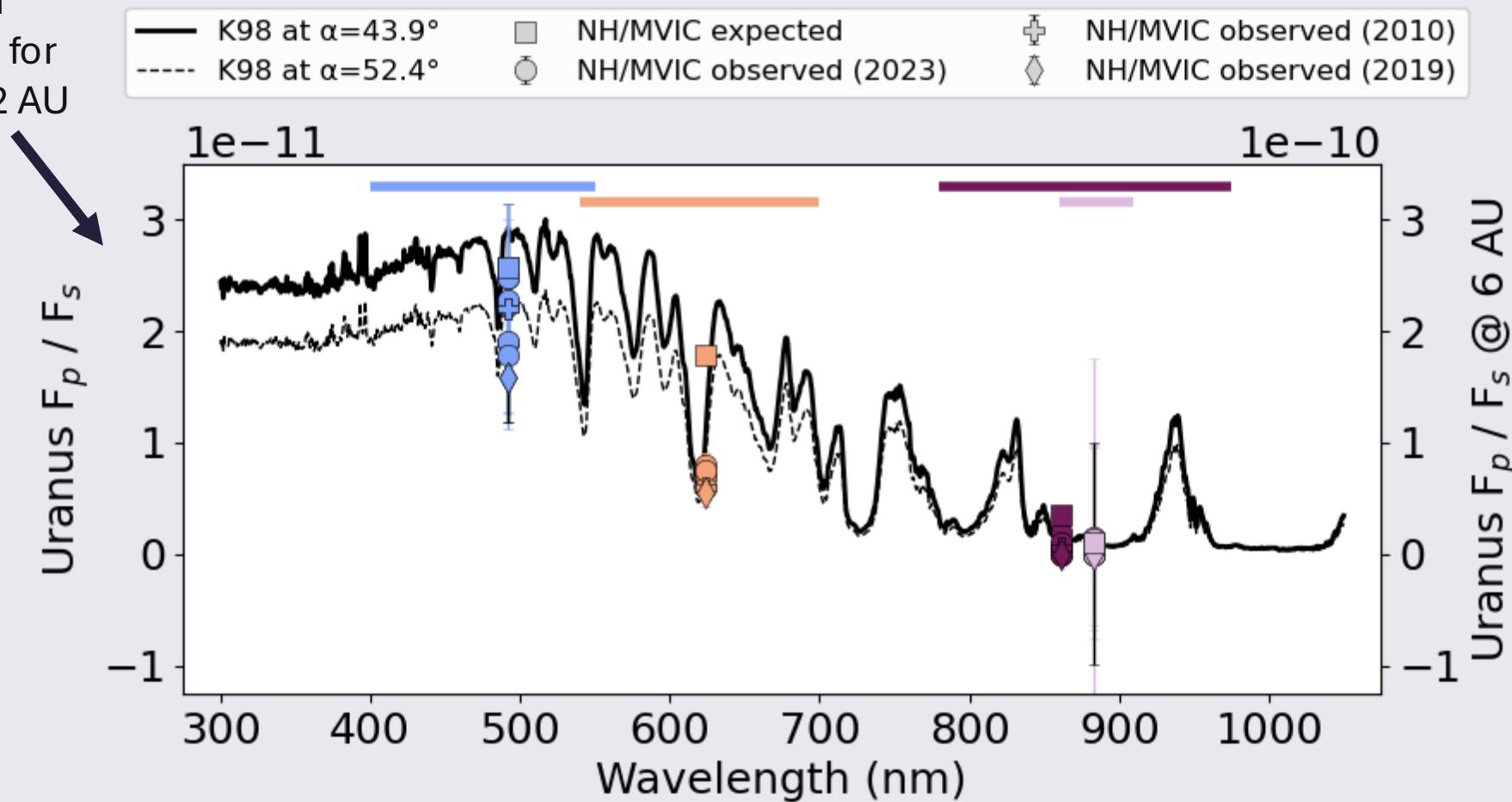
○ NH/MVIC Observed (2023)
◇ NH/MVIC Observed (2019)
+ NH/MVIC Observed (2010)
■ NH/MVIC Expected





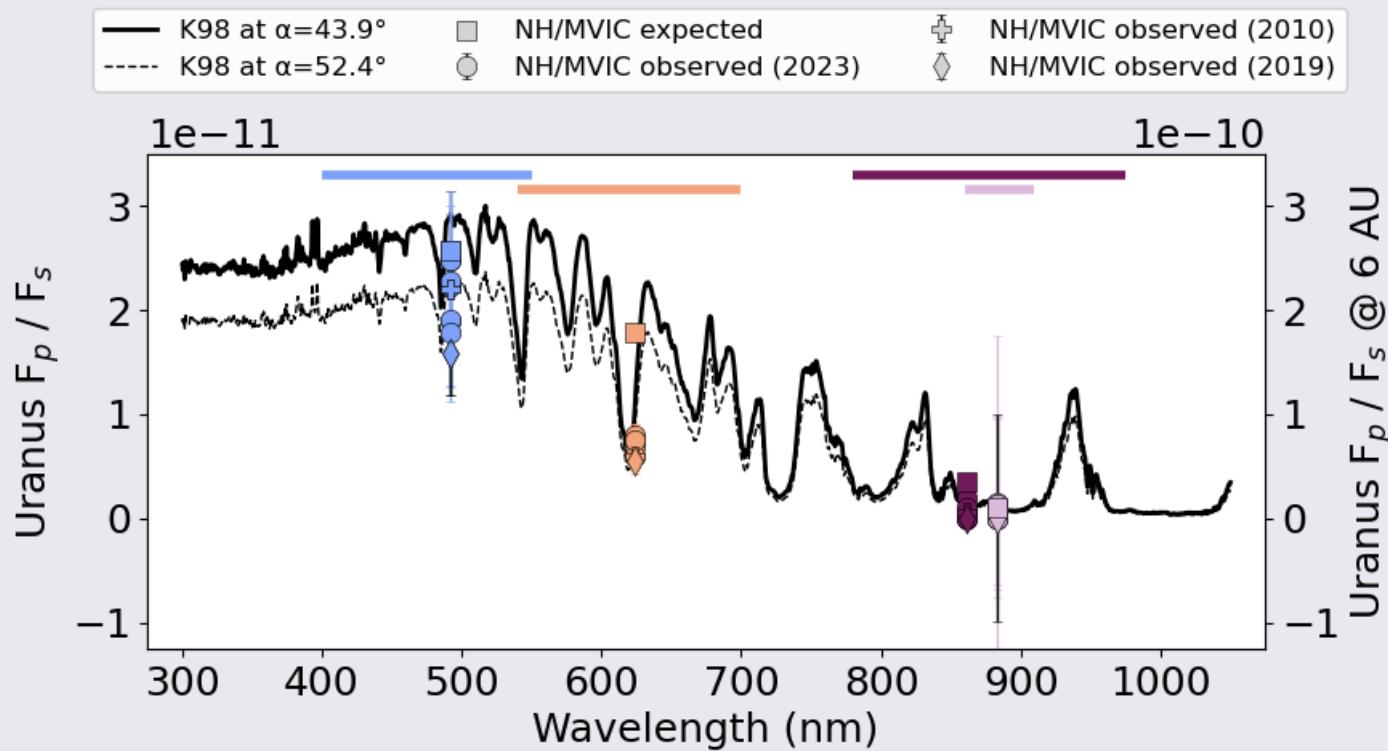
What does this mean for exoplanet observations?

Planet-star
contrast ratio for
Uranus at 19.2 AU



Planet-star
contrast ratio for
Uranus at 6 AU

What does this mean for exoplanet observations?



We need to understand atmospheric scattering in these near-quadrature phase angle regimes

Interpretation of our observations will require sophisticated modeling

Fainter exoplanets will require more sensitive instruments/longer integration times for detection and characterization

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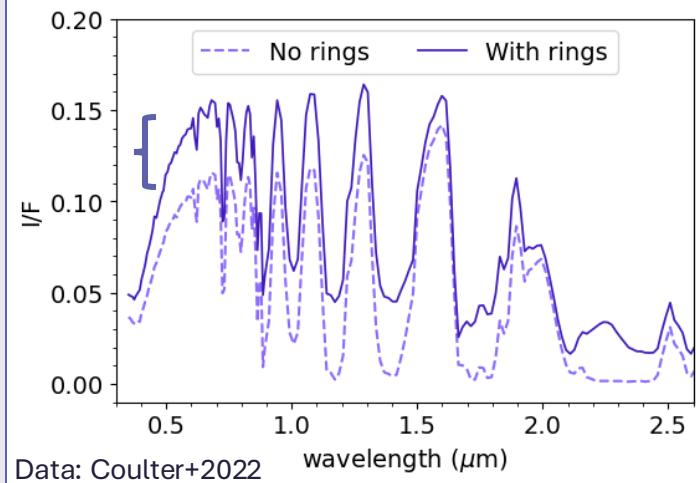
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Summary

*Ringed exoplanets and bonus science!

Feasibility of imaging a ringed exoplanet with Roman

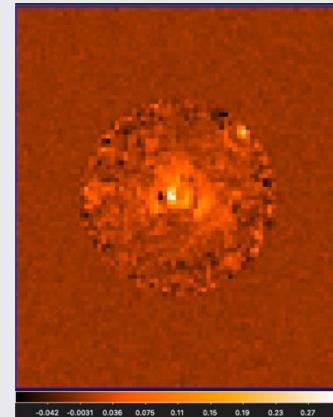
Saturn at $\alpha = 90^\circ$, rings inclined by 20°



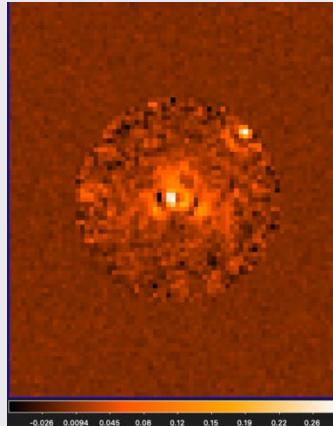
> 30% increase in reflectance with rings

Hasler et al. (in prep)

5.2 AU Jupiter @ 15 pc



+ 30% reflectivity



Uncovering unknown minor solar system bodies

GPU-based framework for detecting small Solar system bodies in targeted exoplanet surveys

A. Y. Burdanov,^{*} S. N. Hasler^{*} and J. de Wit^{*}

Department of Earth, Atmospheric and Planetary Sciences, Massachusetts Institute of Technology, 77 Massachusetts

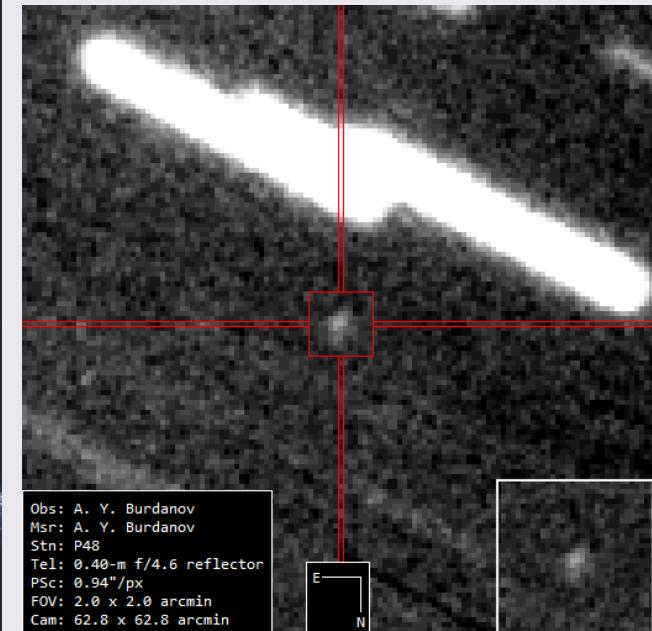
The international journal of science / 6 February 2025



Burdanov, de Wit, et al. 2025

Small body harvest with the Antarctic Search for Transiting Exoplanets (ASTEP) project

S. N. Hasler¹,^{*} A. Y. Burdanov,¹ J. de Wit,¹ G. Dransfield², L. Abe³, A. Agabi³, P. Bendjoya,³ N. Crouzet,⁴ T. Guillot,² D. Mekarnia,³ F. X. Schmider,³ O. Suarez² and A. H. M. J. Triaud²



Hasler et al. 2023



Summary

Part 1: Deconfusion



The deconfuser:

- Quickly fits orbits to astrometric detections of planets in 2D images
- Decides which assignment of detection-to-planet fits the data best



Developed a photometry model and ranking scheme to augment the deconfuser



Analysis shows photometry to be useful for deconfusion (Hasler+ *under review*)

Part 2: Uranus at High Phase by New Horizons



We must use Solar System planets as “ground-truth” observations for exoplanet direct imaging

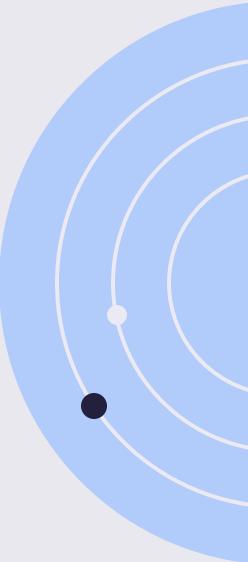


Uranus is dimmer than predicted by a Lambertian phase function at high phase

*Interested in exoplanet phase studies, direct imaging, or Solar System analogs for exoplanet research? Please reach out!

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Hasler et al. 2024