Exoplanet Yield Modeling

NASA

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The Astro2020 Decadal Recommendation

Recommendation: After a successful mission and technology maturation program, NASA should embark on a program to realize a mission to search for biosignatures from a robust number of about ~25 habitable zone planets and to be a transformative facility for general astrophysics. If mission and technology maturation are successful, as determined by an independent review, implementation should start in the latter part of the decade, with a target launch in the first half of the 2040s.

The mission the survey puts forward will combine a large, stable telescope with an advanced coronagraph intended to block the light of bright stars. It will be capable of surveying a hundred or more nearby Sun-like stars to discover their planetary systems and determine their orbits and basic properties. Then for the most exciting ~25 planets, astronomers will use spectroscopy at ultraviolet, visible, and near-infrared wavelengths to identify multiple atmospheric components that could serve as biomarkers (see

Coronagraph performance is complex and trade space is coupled



DRMs map coronagraph performance onto the stars around us

Ursa Minor

Maio



Exoplanet Yields Require Mission Simulations

Astrophysical Constraints

- η_{Earth}
- η_{exozodi}
- Planet sizes
- Albedos
- Phase functions

Observational Requirements

- Central wavelength
- Total bandpass
- Spectral resolution
- Signal-to-Noise

Water world, 100% cloue
 Jupiter
 Super Earth (1.5 R_{pm})
 Crescent Mini-Neptune

Observing strategy

DRN

Technical Requirements

- Telescope diameter
- Contrast
- Contrast floor
- Inner working angle
- Outer working angle
- Total throughput
- Overheads



DRMs estimate scientific *productivity*



Stark et al. (in prep)

Spoiler alert: extended missions can improve data quantity/quality on high priority targets, but increasing yields is harder

"Completeness" is at the heart of yield calculations

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SINGLE-VISIT PHOTOMETRIC AND OBSCURATIONAL COMPLETENESS

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First visit completeness



- Completeness, C = the chance of observing a given planet around a given star if that planet exists (Brown 2004)
- Yield = $\eta_{\text{Earth}} \Sigma \mathbf{C}$
- Calculated using a large number of synthetic planets

If once wasn't enough, look again



Revisiting same star multiple times can increase total completeness

DRMs have come a long way: higher fidelity

LUVOIR & HabEx DRMs used realistic optical layouts



Stark et al. (2019)

DRMs have come a long way: higher fidelity

We now use realistic coronagraph simulations

We have standardized the interface between coronagraph modelers and yield calculators



Zimmerman/Soummer/St. Laurent

- We now use simulated 2D leaked starlight to each star as a function of stellar diameter
- We use 2D off-axis simulated PSFs to calculate planet's flux



Juanola-Parramon et al. (2022)

Potier et al. (2022)

DRMs have come a long way: expanded science metrics



6. AN OPTIMIZATION OF Δmag_0 FOR ROUND AND ELLIPTICAL 8 m APERTURES

The purpose of this section is to illustrate the usefulness of our method of estimating the yield of search programs for instrument design. We use variations of the demonstrative observing program to explore the optimization of Δmag_0 , perhaps the most critical specification of the instrument, for various values of grand total exposure time. Here we consider both round and elliptical 8 m apertures. In § 7 we use a simple model of an optimized coronagraph to provide one interpretation Δmag_0 , in terms of wavefront stability.

Brown (2005)

4. OPTIMIZATION

Our goal is to maximize the completeness integrated over all stars, subject to two constraints: 1) The maximum completeness on any star is limited by the instrument sensitivity floor.

2) The total integration time is limited by the allotted mission planet search duration. The first constraint is folded into the functional form of completeness, which is given by:

$$C = \sum_{i=1}^{N} C_i(\tau_i)$$

where $C_i(\tau_i)$ is the completeness obtained on the *i*th star after integrating for time τ_i , and

 $\tau_i < \tau_{MAX,i}$

The total integration time is shared by N stars and is constrained by

$$\tau_m \geq \sum_{i=1}^N \tau_i$$

We choose $\tau_m = 1$ year to represent the integration time available during a three year mission.

In order to satisfy this optimization problem we observe all stars to the point where they have equal slopes,

Hunyadi, Lo, & Shaklan (2007)



Stark et al.

(2015)

1500

Why do we want to optimize?

- Assumptions/prescriptions re how to observe can lead to unintended bias, or worse—incorrect trade studies
- Pick a metric, then get out of the way and let your code tell you how to use the mission



Target list adapts to changes in instrument



Optimization increases yields

Wavelength optimization



Wavelength optimization can be very important



50% when adopting the Roman CGI EMCCD QE

What we've learned from DRMs: Yields are probabilistic



What we've learned from DRMs: Impact of prior knowledge



Stark et al. (2015)

What we've learned from DRMs: Which parameters matter



Stark et al. (2015)

What we've learned from DRMs: The noise floor is a critical parameter

Yield is relatively insensitive to raw contrast because of exozodi. But the *contrast floor after PSF subtraction is a critical* parameter.

The noise floor directly limits the range of accessible targets

d (pc)

What we've learned from DRMs: The range of accessible targets is set by ~three parameters

What we've learned from DRMs: How to use coronagraphs with HWO

Useful throughput interior to "IWA" means coronagraphs can operate interior to IWA

Spatial resolution constraints to avoid planetary blending may be a critical limitation (Saxena 2022)

What we've learned from DRMs: How to improve coronagraph designs

APLC (suite of three)

DRM optimally assigned LUVOIR-A's four coronagraph masks to each star.

What we've learned from DRMs: The relative impacts of major design choices

Stark et al. (2019)

Yield isn't everything: Data quality matters

Slide from R. Morgan (2022)

Yield isn't everything: Exposure times matter

A month is too long to search for water vapor

There are paths to reducing exposure times by an order of magnitude without increasing telescope diameter.

Summary

Yield calculations can:

- Estimate scientific productivity
- Inform telescope & mission design
- Inform coronagraph design
- Inform observation methods
- Help identify performance risks through sensitivity analyses

Yield calculators should strive to:

- Optimize observations to play to strengths of mission and produce accurate trade studies
- Address additional metrics beyond exoplanet yields

Yield calculators *need help* to:

 Address underlying assumptions that could affect estimates (e.g., PSF subtraction method, exozodi subtraction, exozodi "leakage," etc.)

Much progress has been made

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OBSCURATIONAL COMPLETENESS

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Brown (2004)

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Stark et al. (2015)

Morgan et al. (2021)

What we've learned from DRMs: How telescope geometry impacts coronagraphs & yield

ExEP's SCDA Study was essential to understanding the coronagraph design trade space and system-level requirements.

Key points:

- PM & SM geometry matters a lot—must design at system level!
- Coronagraph mask design has non-intuitive trades
 (OWA vs bandwidth, contrast vs IWA, etc.).
 Improving one parameter
 often comes at the expense
 of others.

Optimizing revisits

Brown & Soummer et al. (2010)

The most accurate, brute-force method would perform a bluepoint-type calculation (see Figure 1) for every star in play every time a new observation is planned. The number of times would be of order the number of stars times the number of observations. For example, the number of blue-point-type calculations would exceed 10⁵ for a program of 100 stars and 1000 LSOs, typical for a 4 m class instrument with IWA = 0.075 arcsec. Monte Carlo full-mission studies would be impractical, as each of the 400 blue points in Figure 1 took ~5 s to compute on a 3 GHz Intel Xenon processor running MATHEMATICA 6. Therefore, we must look at two approximate functions for $c_{i,j}(t)$, one of which

Why coronagraph yield is controlled by D

At what wavelength should we observe?

Stark et al. (submitted)