

Jet Propulsion Laboratory
California Institute of Technology

Eta-Earth from Kepler: A Progress Report

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ExoPAG-10 Meeting

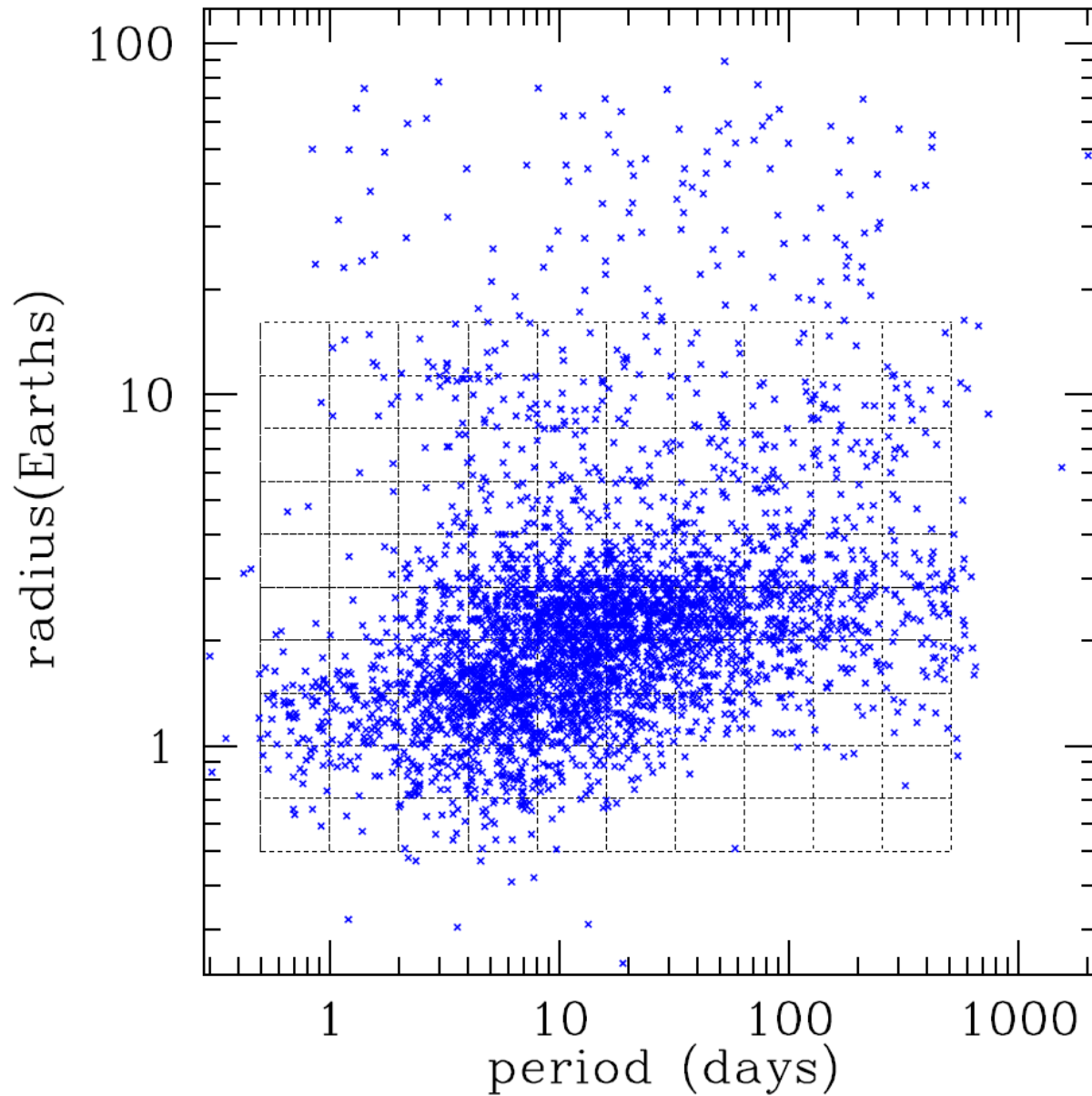
Boston, MA

6 June 2014

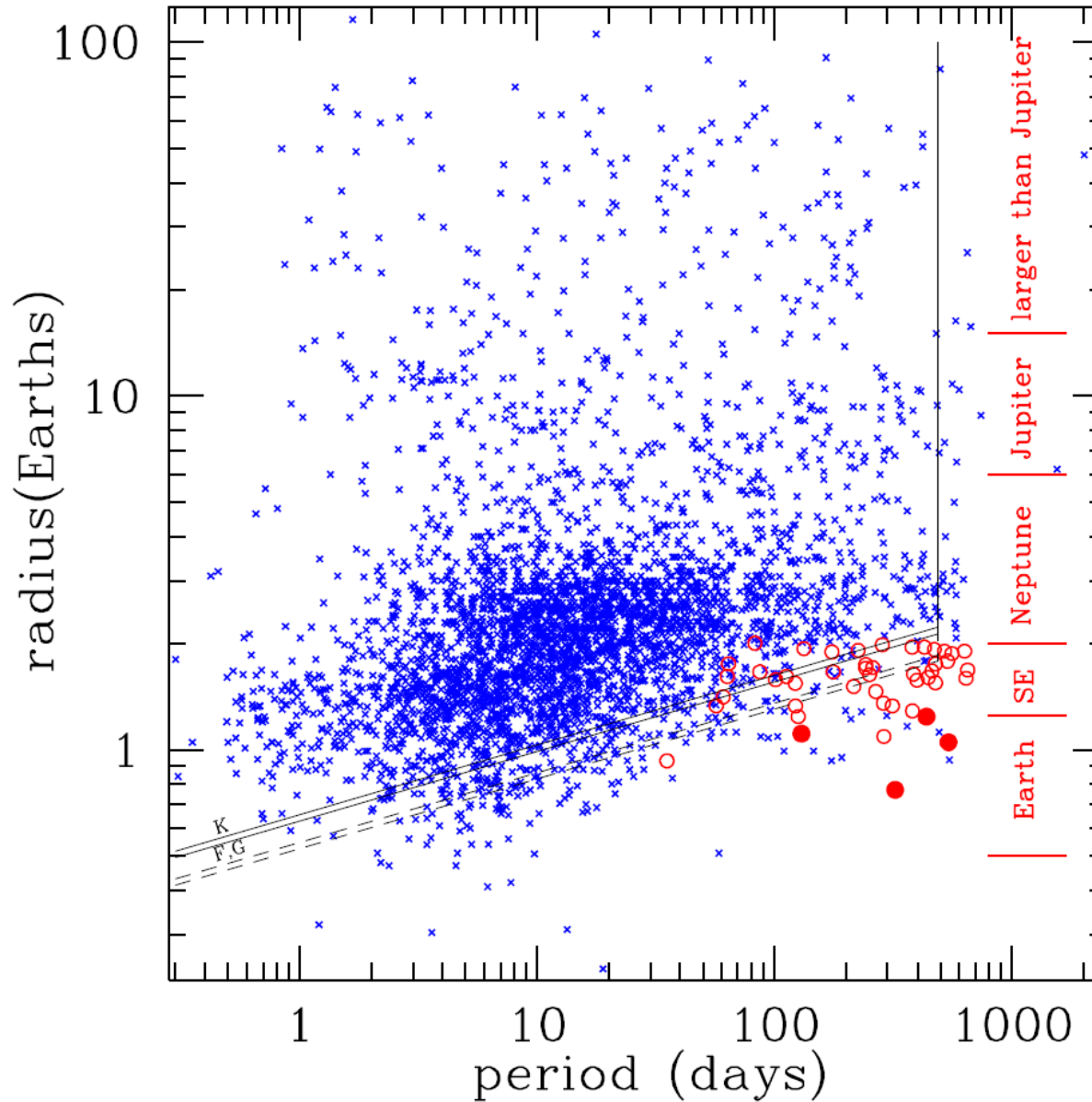
Kepler planets (incl. candidates) from May 2014



ExoPlanet Exploration Program



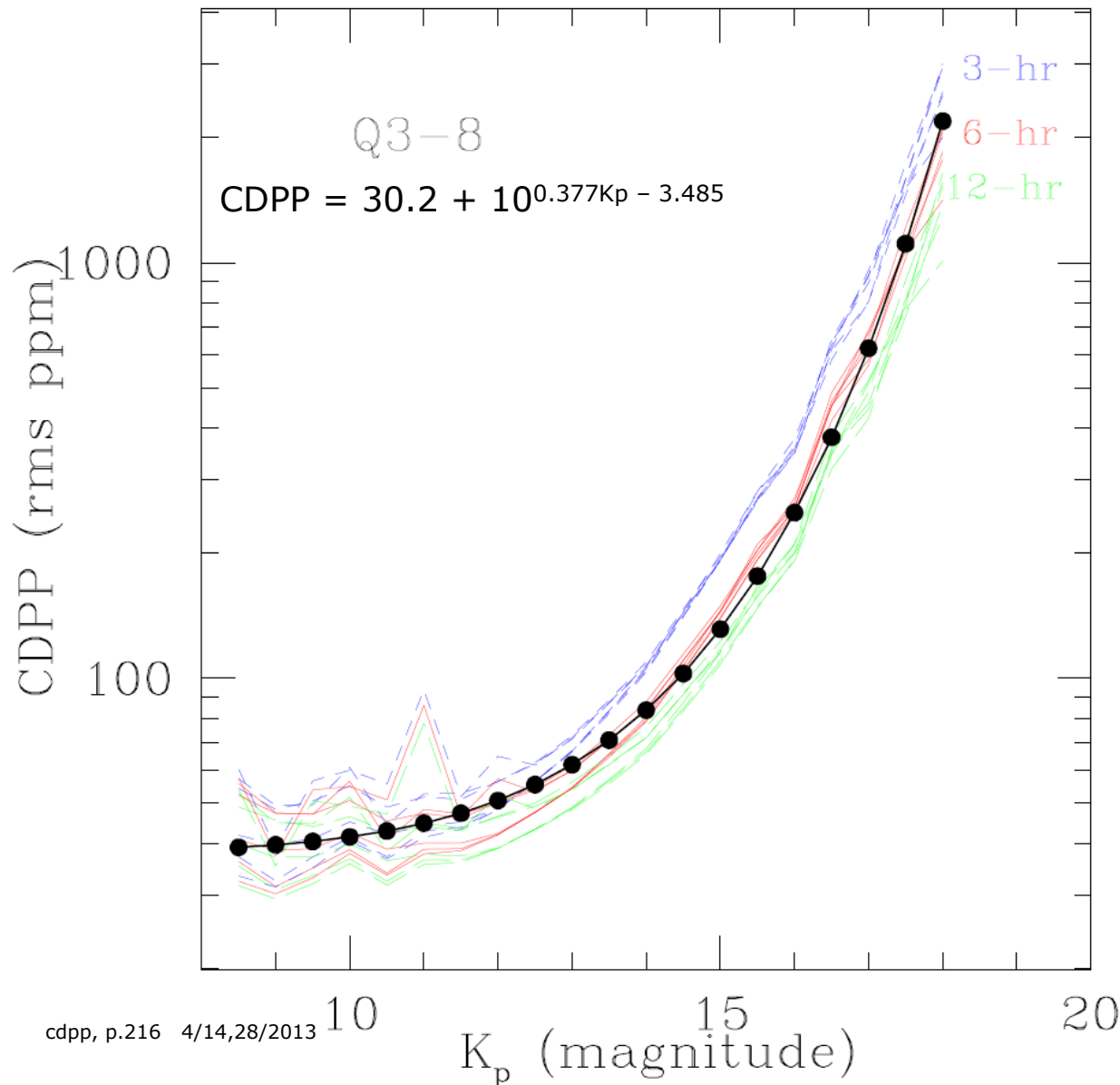
Kepler planets, annotated



Method

- Select targets by $T_{\text{eff}}(\text{K})$, $d(\text{pc})$, $K_p(\text{mag})$
- Select observed planets to match, also by range of (r,p)
- Assume planet occurrence model: $f(r,p) = f_0 (r/r_{01})^a (p/p_{01})^b$
- Broken power law: $a=(a_0, a_1)$ for $(r < r_{01}, r > r_{01})$,
and $b=(b_0, b_1)$ for $(p < p_{01}, p > p_{01})$
- Assume random (r,p) per distribution law
- Assign 1 planet per star, at the fractional rate $f(r,p) \times$ transit probability
- Add all fractional planets per star, for all target stars, in 10×10 bins
- Do least-squares fit of model to observations
- Adjust $r(\text{cutoff})$ empirically
- Repeat entire process to build fitting statistics
- Extrapolate model to $(r,p) = (\text{terrestrial}, \text{HZ})$ to give $\eta_{\oplus}$

Median noise (CDPP) vs magnitude



CDPP is RMS noise per 6-hour observation, in units of ppm

The middle curve is the median CDPP for all stars averaged over quarters 1 – 8

The best-fit curve is a simple function of Kepler magnitude

Minimum detectable planet

SNR = 7 detection criterion

$T_{\text{mission}} = 2 \text{ yr}$

duty cycle = 92%

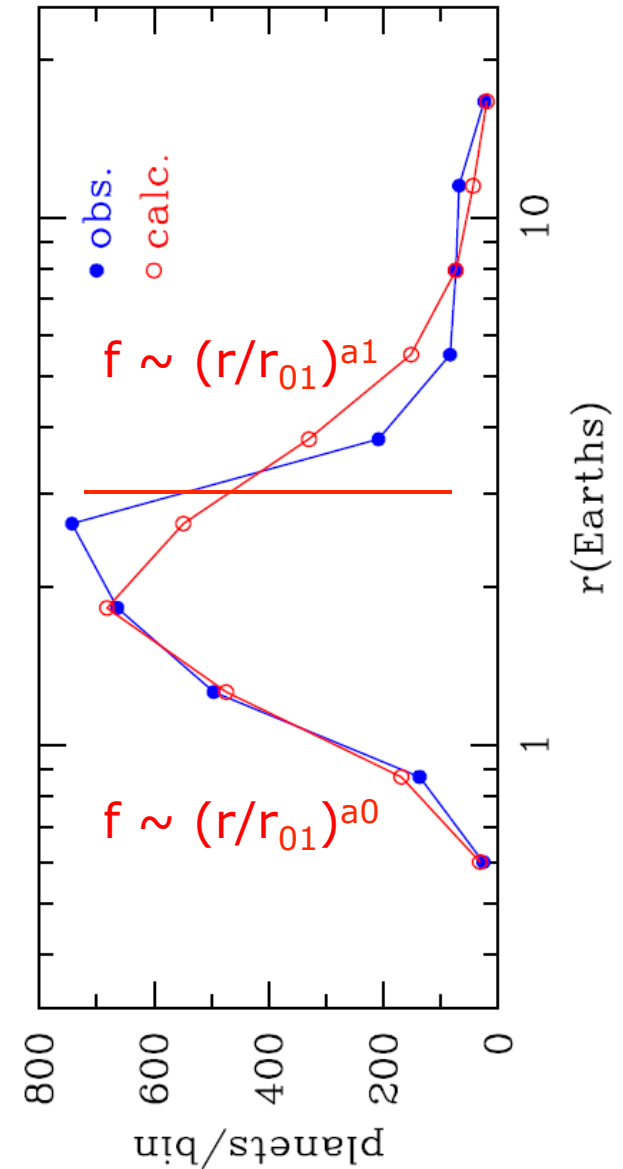
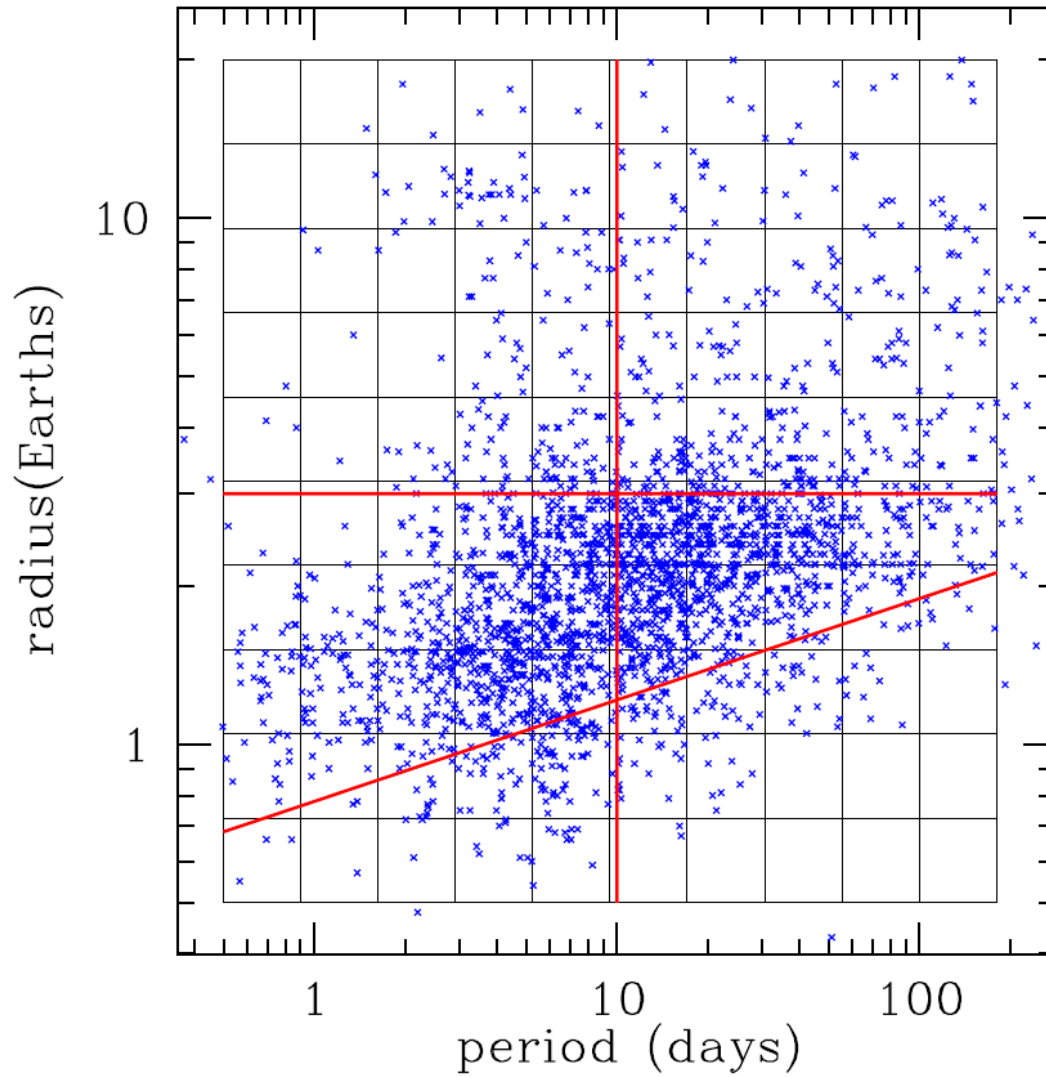
$S/N \sim 1/t^{0.32}$ (not $1/t^{0.50}$)

minimum detectable planet radius is r_{min}

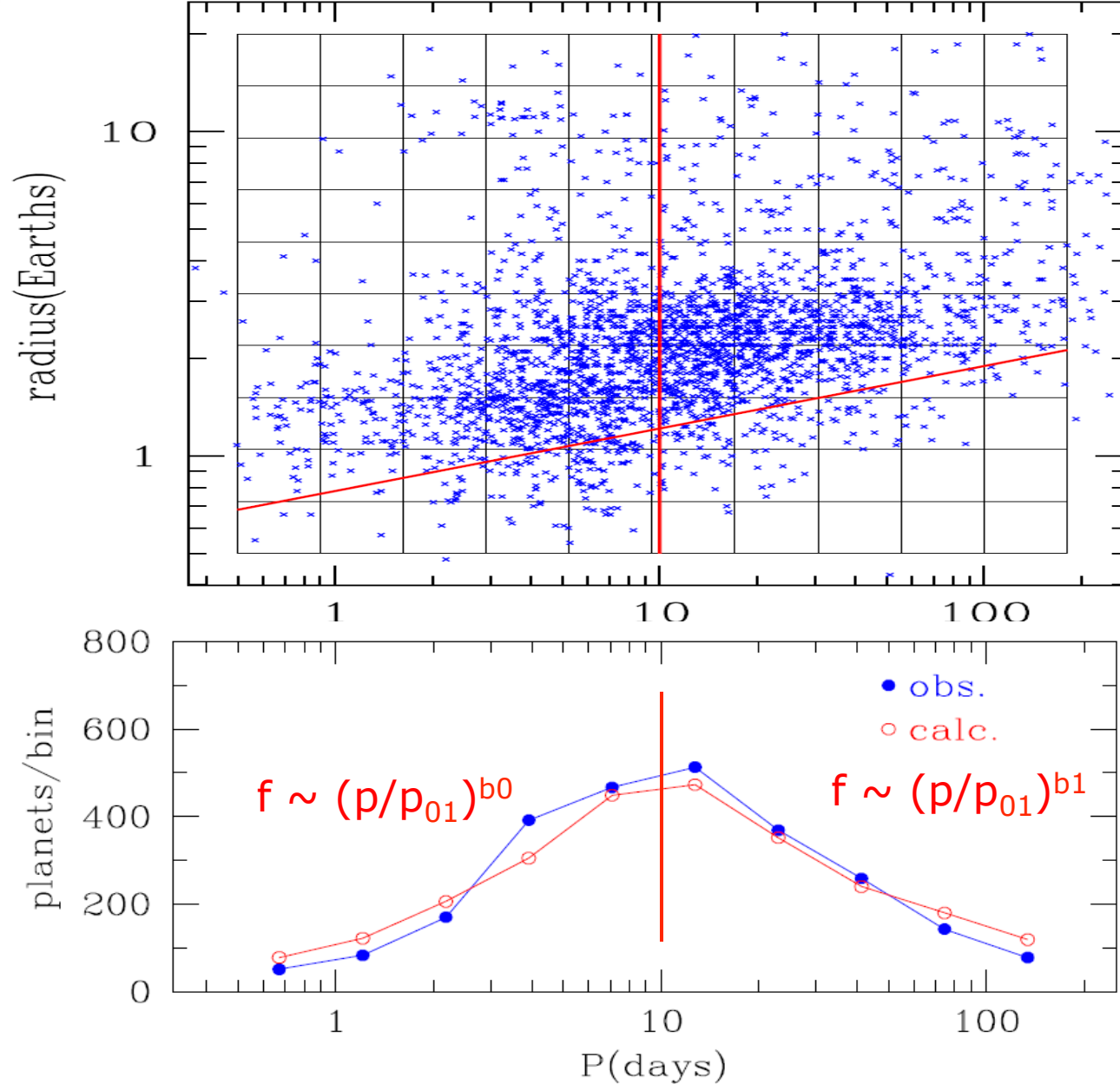
$$r_{\text{min}}/r_{\oplus} = 0.0389 \times (\text{cdpp6}_{\text{ppm}})^{1/2} \\ \times (r_{\text{star}}/r_{\text{sun}})^{0.947} \times (P_{\text{days}})^{0.197} \times 10^{0.0533 \log(g)}$$

Empirically, scale this minimum radius by 1.8 for best fit

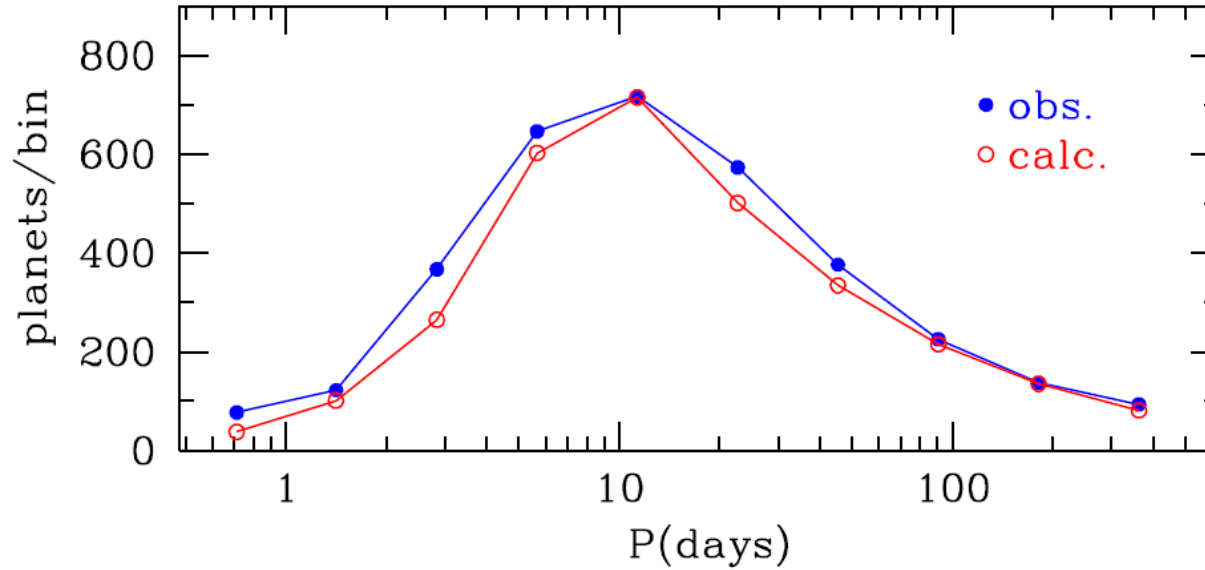
Radius: broken power law in the population



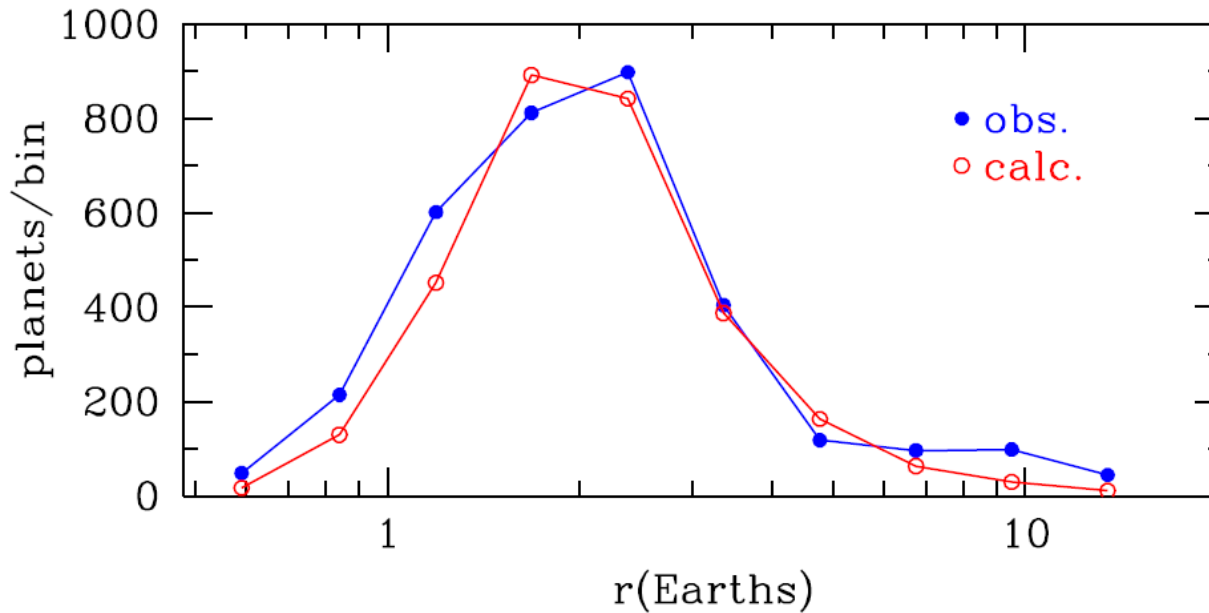
Period: broken power law in the population



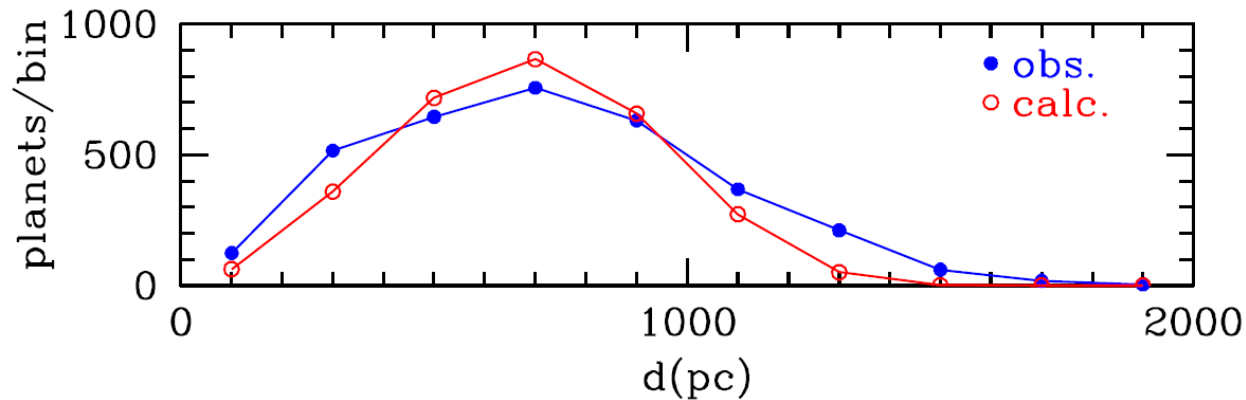
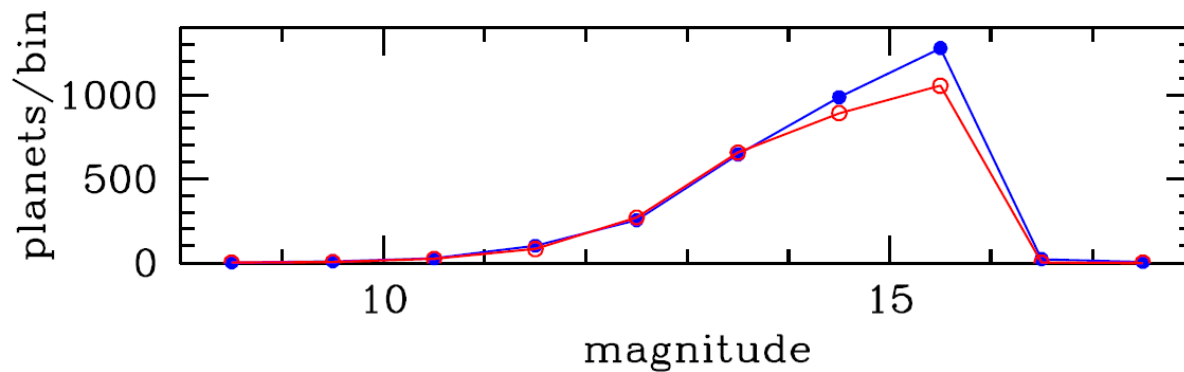
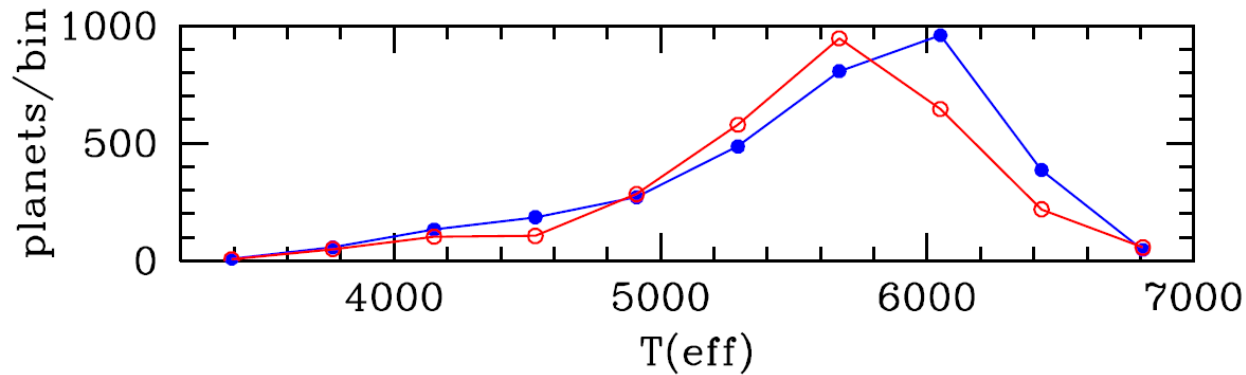
Fit results for period and radius



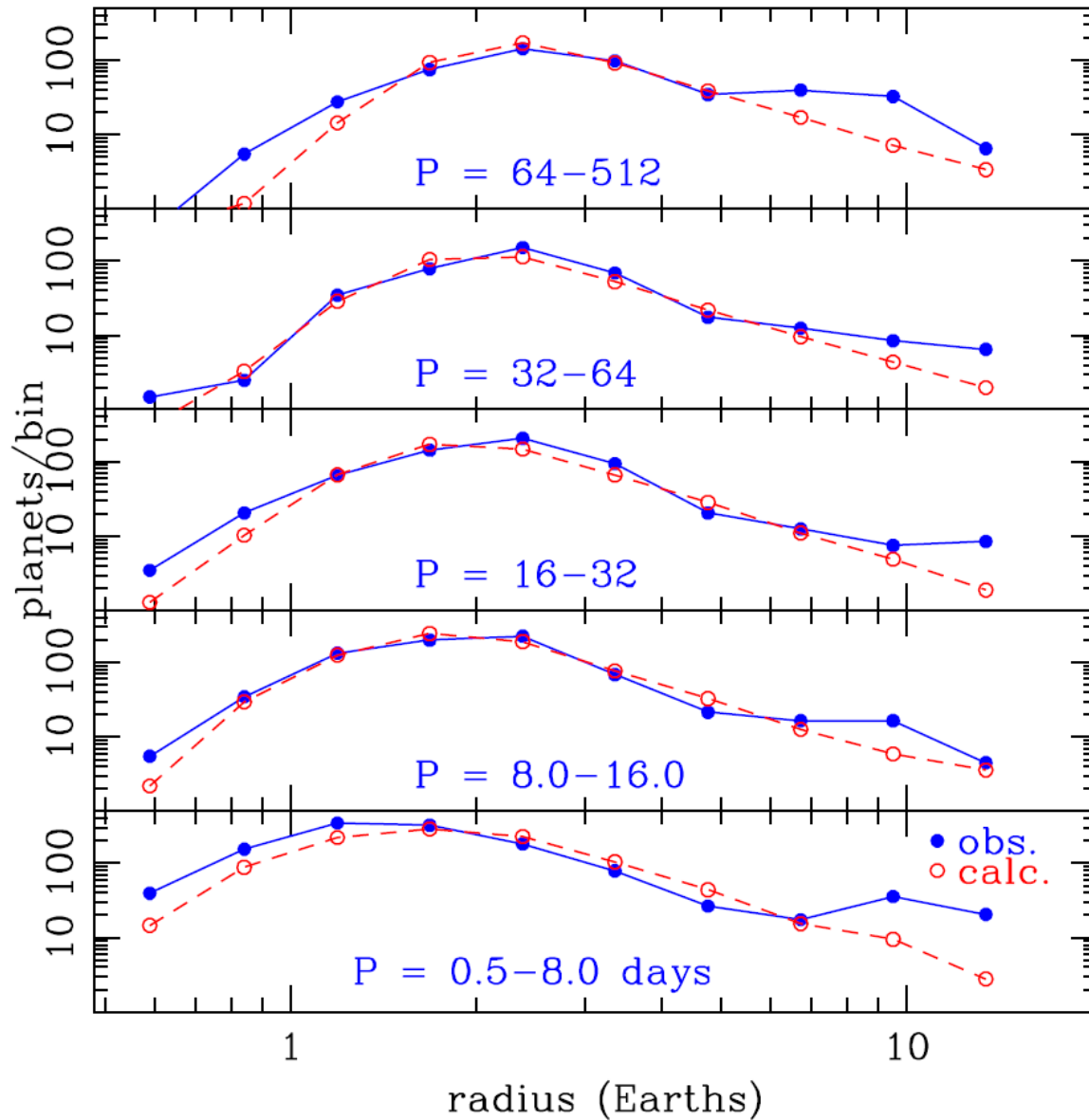
The overall fit is
 $\chi^2/\text{dof} \sim 2.1$



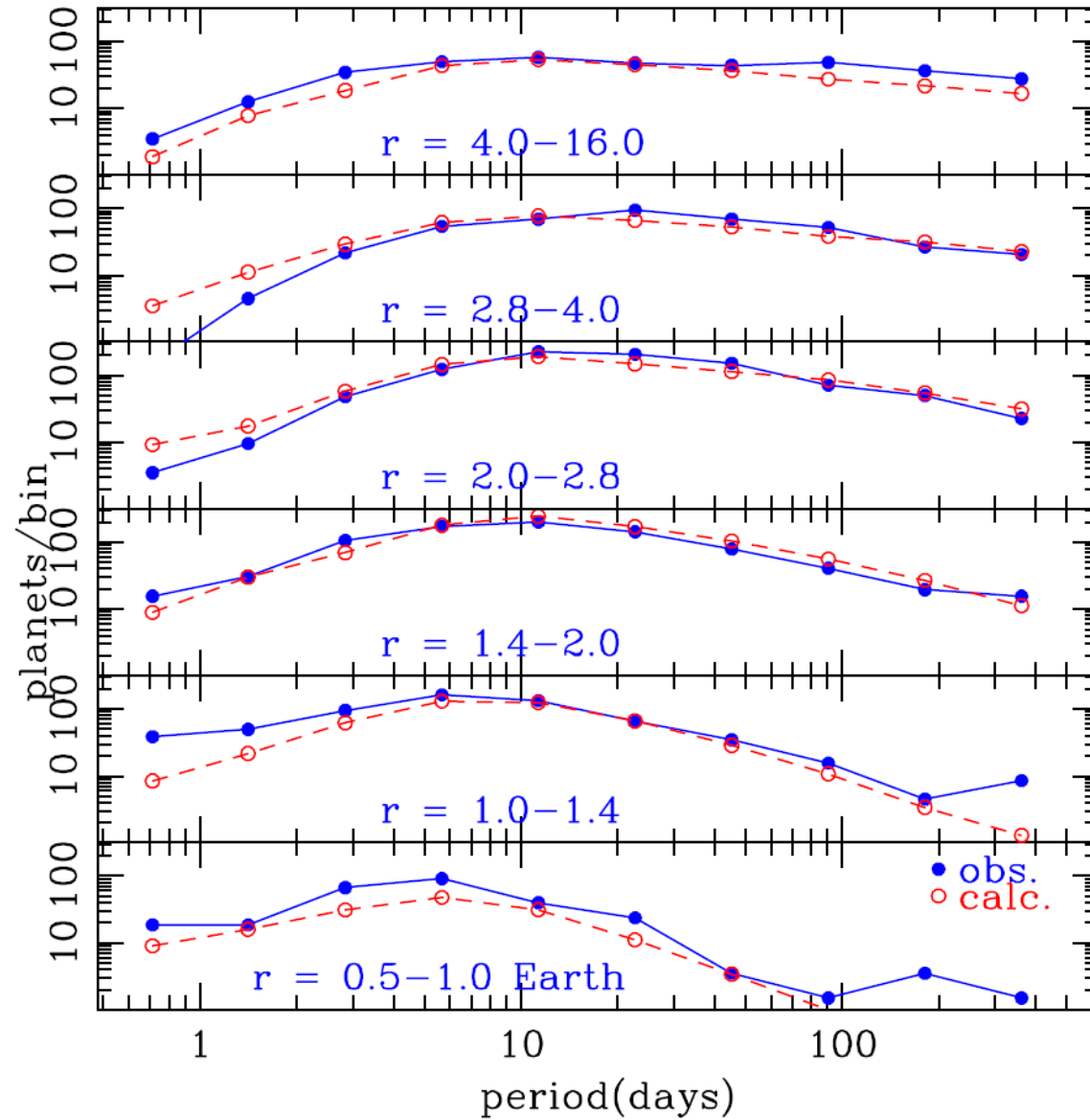
Magnitude, distance, & T(eff) distributions



Radius distributions



Period distributions



Tentative Eta-Earth values

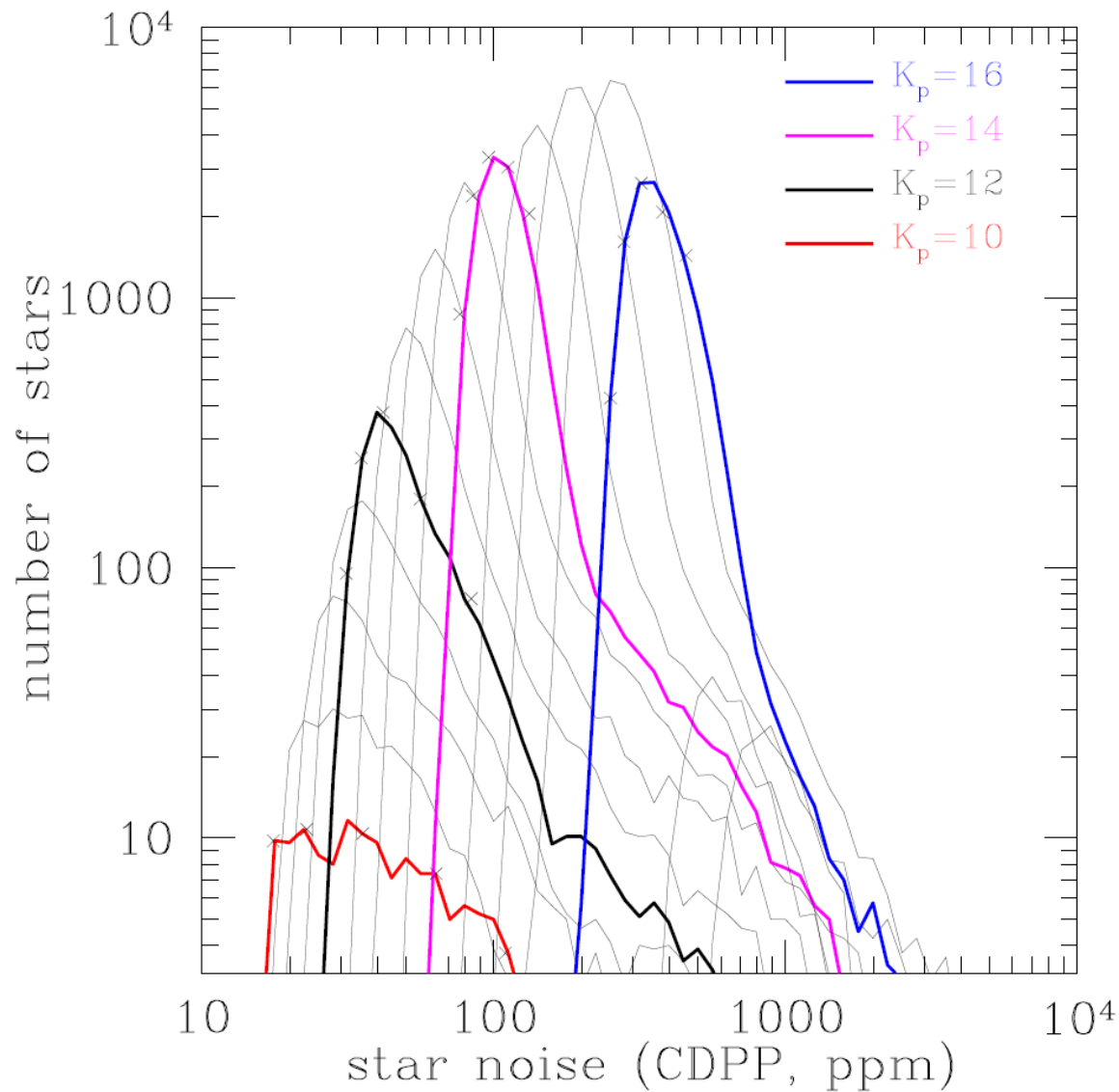
period (narrow)	radius	eta_Earth
Kopparapu: 338-793	Kepler Earth: 0.5-1.25	36%
Kopparapu: 338-793	Kepler Earth-SE: 0.5-2.0	57%
Petigura: 129-365	Petigura Earth: 1.0-2.0	29%

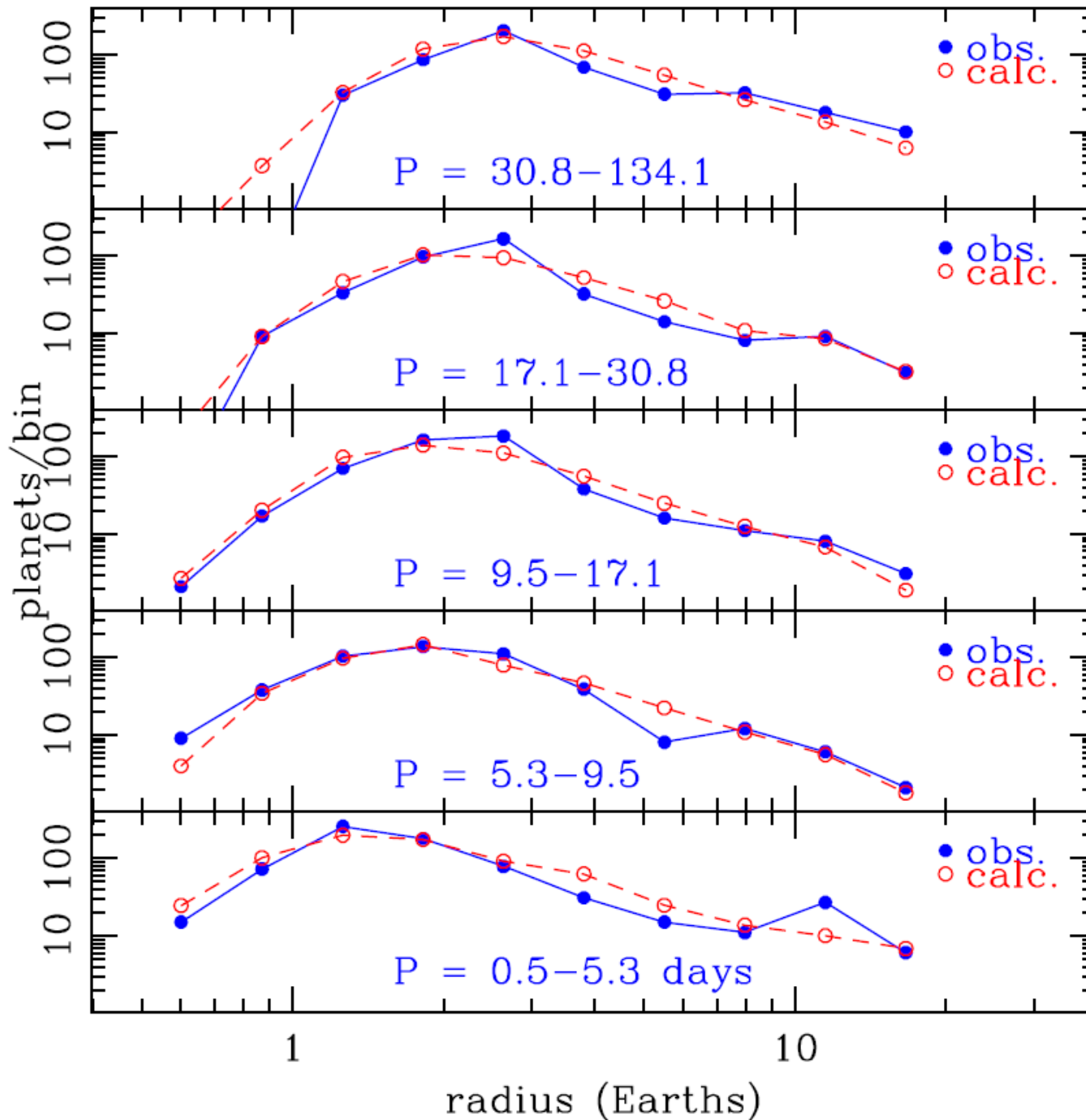
period (wide)	radius	eta_Earth
Kopparapu: 237-858	Kepler Earth: 0.5-1.25	52%
Kopparapu: 237-858	Kepler Earth-SE: 0.5-2.0	82%
Petigura: 129-1033	Petigura Earth: 1.0-2.0	69%

Based on all Kepler stars (FGK), not just G

Backup charts

Faint stars have more noise





with broken
power laws
& $r(\text{min})$ cutoff,
get model fit
with
reduced
chi-square
 ~ 0.9

Goal

- The goal of this talk is to outline a method of simulating Kepler's planet distribution in terms of power laws in radius and period.
- The method is complimentary to that of Petigura, Howard, and Marcy who simulated the efficiency of the planet recovery process.
- Each method has its own biases.
- Allowing for differences in approach, our results are currently in the same ball park.

PHM's selection criteria

- $T_{\text{eff}} = 4100$ to 6100 K
- $d = (5 \text{ to } 4500 \text{ pc})$, guess
- $K_p = 10$ to 15 mag
- PHM find 42,557 target stars; I find 57,831 targets
- PHM find 603 observed planets; I find 1102 planets

Ref.: Petigura, Howard, and Marcy, Proc. Nat. Acad. Sci., submitted, 2013